

1 **Measuring the Atlantic Meridional Overturning**

2 **Circulation at 26°N**

3 *McCarthy, G. D.^{1*}, Smeed, D. A.¹, Johns, W. E.², Frajka-*
4 *Williams, E.³, Moat, B. I.¹, Rayner, D.¹, Baringer, M. O.⁴,*
5 *Meinen, C. S.⁴, Collins, J.⁵ and Bryden, H. L.³*

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7 ¹ National Oceanography Centre, European Way, Southampton, SO14 3ZH, UK

8 ² University of Miami, Rosenstiel School of Marine and Atmospheric Science, 4600
9 Rickenbacker Causeway, Miami, FL, USA

10 ³ National Oceanography Centre, University of Southampton, Waterfront Campus,
11 Southampton SO14 3ZH, UK

12 ⁴ Atlantic Oceanographic and Meteorological Laboratory, Miami, FL, USA

13 ⁵ British Oceanographic Data Centre, National Oceanography Centre, European Way,
14 Southampton, SO14 3ZH, UK

15 * Corresponding Author: gerard.mccarthy@noc.ac.uk

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17 *Keywords*

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19 Atlantic Meridional Overturning Circulation; Ocean observing systems; Ocean
20 circulation; Geostrophic dynamics; Heat transport; North Atlantic;

21

22 *Highlights*

- 23 • The RAPID moorings array is measuring the AMOC at 26.5°N continuously since
24 2004
- 25 • The AMOC has a strength of 17.2 Sv and heat transport of 1.22 PW over the 8.5
26 years from April 2004 to October 2012
- 27 • Improved estimation of the shallowest and deepest transports
- 28 • Changes to the calculation have reduced the estimate of the AMOC by 0.6 Sv

29 • The transport estimates are accurate to 1.5 Sv (0.9 Sv) for 10 day (annual) values
30

31 *Abstract*

32 The Atlantic Meridional Overturning Circulation (AMOC) plays a key role in the global
33 climate system through its redistribution of heat. Changes in the AMOC have been
34 associated with large fluctuations in the earth's climate in the past and projections of
35 AMOC decline in the future due to climate change motivate the continuous monitoring of
36 the circulation. Since 2004, the RAPID monitoring array has been providing continuous
37 estimates of the AMOC and associated heat transport at 26°N in the North Atlantic. We
38 describe how these measurements are made including the sampling strategy, the
39 accuracies of parameters measured and the calculation of the AMOC. The strength of the
40 AMOC and meridional heat transport are estimated as 17.2 Sv and 1.22 PW respectively
41 from April 2004 to October 2012. The accuracy of ten day (annual) transports is 1.5 Sv
42 (0.9 Sv). Improvements to the estimation of the transport above the shallowest
43 instruments and deepest transports (including Antarctic Bottom Water), and the use of the
44 new equation of state for seawater have reduced the estimated strength of the AMOC by
45 0.6 Sv relative to previous publications. As new basinwide AMOC monitoring projects
46 begin in the South Atlantic and sub-polar North Atlantic, we present this thorough review
47 of the methods and measurements of the original AMOC monitoring array.

48 **1 A review of measuring the AMOC**

49 The world's oceans are a major part of the heat engine of the global climate system,
50 moving heat, together with the atmosphere, from equatorial regions to the high latitudes.
51 The South Atlantic is the exception in this picture of heat redistribution, transporting heat
52 northwards (Bennett (1978)) across the equator as part of the Atlantic Meridional
53 Overturning Circulation (AMOC). The heat released by the ocean over the North Atlantic
54 contributes to the relatively mild climate of north western Europe (Seager et al. (2002))
55 with the AMOC being responsible for the approximately 3°C warmer temperatures on the
56 northwestern European seaboard compared to similar maritime climates on the western
57 seaboard of North America (Rhines et al. (2008)).

58 Observation of the AMOC is quite challenging, requiring measurements that span
59 a complete basin, so historically the observational record has been quite limited. There
60 have been several reviews of AMOC observations focusing on aspects such as the history
61 of observations (Warren (1981), Mills (2009)), the representations (Richardson (2008))
62 and the quantification (Longworth and Bryden (2007)) of the AMOC. Early estimates on
63 the size of the deep circulation were based solely on property distributions. Sverdrup et
64 al. (1942) estimated a 7 Sv ($1 \text{ Sv} = 10^6 \text{ m}^3/\text{s}$) flow of deep water out of the North Atlantic
65 and across the equator that could be traced southward through the South Atlantic and
66 around the Southern Ocean. Swallow and Worthington (1957) made short term float
67 trajectory observations in the deep western boundary current off South Carolina that
68 supported the value of 7 Sv for the deep circulation. This value was maintained by
69 Worthington (1976) in his influential summary of North Atlantic circulation.

70 Modern estimates for the size of the overturning circulation began with analyses
71 of coast-to-coast hydrographic sections in the early 1980's (Bryden and Hall (1980), Hall
72 and Bryden (1982), Roemmich and Wunsch (1985)). They found an overturning
73 circulation of about 18 Sv, contradicting the previous value of 7 Sv, and a northward heat
74 transport of 1.2 PW (1 PW = 10^{15} Watts). Analysis of historical and modern hydrographic
75 sections generally finds an Atlantic overturning circulation of the order of 18 Sv and its
76 associated northward heat transport robustly positive.

77 The idea that the overturning circulation has varied through the earth's history,
78 with the precept that the ice ages had smaller overturning circulation (Broecker (1991)),
79 combined with evidence in paleo proxies developed from ice cores that there had been
80 decadal-to-centennial fluctuations in temperature of order 10°C (Dansgaard et al.
81 (1993)), made a compelling case that the overturning circulation should be monitored;
82 firstly, to quantify its variability on sub-annual to interannual time scales and, secondly,
83 to assess whether there might be long-term trends in the circulation and possibly identify
84 tipping points where the circulation suddenly changed or stopped.

85 The paucity of observations contrasted sharply with the potential societal impacts
86 of an AMOC slowdown when, using all five trans-Atlantic hydrographic sections
87 available at 24°N , Bryden et al. (2005) suggested that the AMOC had slowed by 30%
88 since the late 1950's. During the ensuing controversy, it was frequently highlighted that
89 very little was known about the variability of AMOC on shorter timescales and that the
90 apparent slowdown could well have been encompassed within shorter timescale
91 variations in the circulation.

92 By the turn of the millennium there was both scientific desire and societal need to
93 monitor the overturning circulation. Observing System Simulation Experiments (OSSEs)
94 by Hirschi et al. (2003) and Baehr et al. (2004) demonstrated that an array of sparse
95 moorings could monitor the AMOC in an OGCM using geostrophic dynamics. A joint
96 UK/US proposal to build and deploy a test monitoring system for the AMOC for 4 years
97 was endorsed after peer review by both the UK Natural Environment Research Council
98 (NERC) and US National Science Foundation (NSF) (Srokosz (2004)).

99 Marotzke et al. (1999) had proposed monitoring the circulation at 29°N. This was
100 motivated by the common definition of the AMOC in ocean general circulation models
101 (OGCM) as the maximum value of the overturning transport streamfunction in latitude-
102 depth space, which generally occurs near 29°N. However, the large resources necessary
103 to define and measure the Gulf Stream flow across 29°N were not economical: 26.5°N,
104 where the Gulf Stream is confined to the Florida Straits and has been monitored
105 continuously since 1982 (Baringer and Larsen (2001)), was a much more pragmatic
106 location.

107 The project to monitor the Atlantic meridional overturning circulation at 26.5°N
108 has been known as the RAPID/MOCHA/WBTS program consisting of the NERC funded
109 RAPID family of programmes, the NSF funded Meridional Overturning Circulation
110 Heat-flux Array project, and the National Oceanic and Atmospheric Administration
111 (NOAA) funded Western Boundary Time Series project. Here we will refer to it simply
112 as RAPID. The trans-basin array began in March 2004 and has continued up to the
113 present.

114 At a fundamental level, RAPID monitoring is based on geostrophic dynamics.
115 For averaging time scales longer than a few days, the zonal momentum balance holds
116 between the zonal pressure gradient and the Coriolis force associated with the northward
117 current:

$$\frac{\partial p}{\partial x} = \rho f v,$$

118 Equation 1.1

119 where v is northward velocity, ρ is density of sea water and f is the Coriolis parameter.
120 Geostrophic balance in the zonal momentum balance works to high accuracy right up to
121 the eastern and western boundaries even for strong boundary currents, as shown by Beal
122 and Bryden (1999) for the Agulhas Current, and over the full depth range. In a scaling
123 analysis framework, there is no other term in the zonal momentum balance within two
124 orders of magnitude of the zonal pressure gradient and Coriolis force.

125 The second remarkable feature of the geostrophic balance is that it provides
126 accurate zonal integrals of the northward mass transport. At constant latitude, the
127 Coriolis parameter is a constant, so the geostrophic balance can be zonally integrated
128 between any two points and the difference in pressure, Δp , divided by f equals the
129 zonally integrated northward velocity:

$$\frac{\Delta p}{f\rho} = \int v dx$$

130 Equation 1.2

131 So for an ocean basin with vertical walls and a flat bottom, if the pressure can be
132 measured at the eastern boundary and the western boundary then the pressure difference

133 divided by the constant f equals the zonally integrated northward flow and no further
134 measurements are necessary.

135 On time scales of a few days or more the acceleration in the vertical momentum
136 equation can be neglected and the vertical profile of pressure, relative to a reference level,
137 can be calculated by vertically integrating the hydrostatic equation,

$$\int \frac{1}{\rho} dp = \int \alpha dp = - \int g dz = \int d\Phi,$$

138 Equation 1.3

139 where g is gravitational acceleration, α is specific volume anomaly and Φ is dynamic
140 height. From hydrographic stations at the boundaries, the pressure difference across the
141 basin, and hence the vertical structure of the horizontally integrated northward flow
142 relative to a reference level, can be calculated. Combining Equations 1.2 and 1.3 allows
143 us to estimate the transport between two hydrographic stations at the east and west of a
144 zonal section, relative to a reference level transport, as:

$$T_{int}(z) = \int (v - v_r) dx = \frac{1}{f} (\Phi_e(z) - \Phi_w(z)),$$

145 Equation 1.4

146 where T_{int} is the internal geostrophic transport relative to an unknown reference level
147 velocity, v_r , and Φ is the dynamic height anomaly on the eastern and western
148 boundaries. Dynamic height as a function of depth is equal to the sum of dynamic height
149 anomaly and the standard geometric separation. As dynamic height anomaly is the
150 quantity calculated here, this is what will be referred to in the text—equally dynamic
151 height could be used in Equation 1.4.

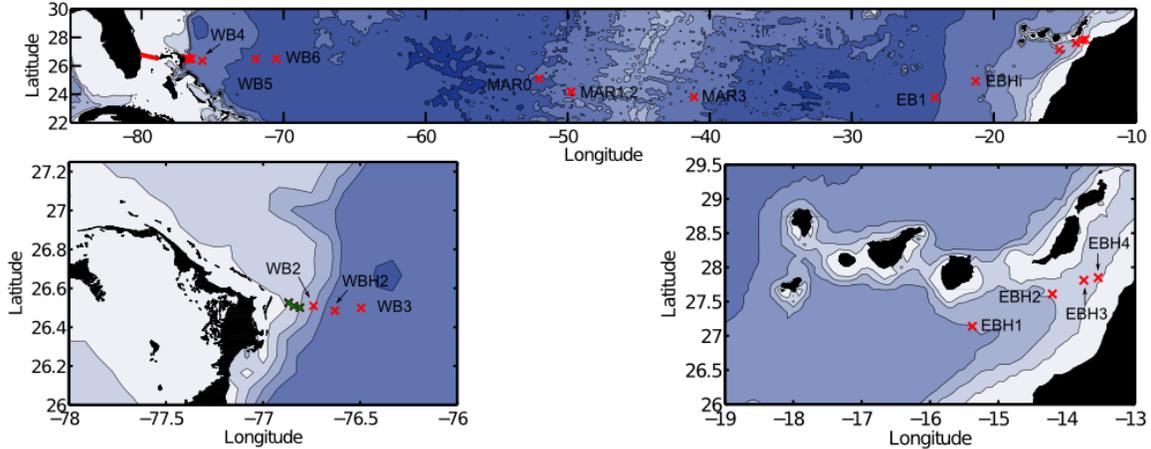
152 For RAPID, the key measurements are at the eastern and western boundaries of
153 the Atlantic Ocean at 26°N and on either side of the mid-Atlantic ridge (Figure 1.1).
154 Because the boundary is not vertical but sloping, several moorings at different locations
155 on the slope are combined to form a single profile (Further details in Section 2). The
156 resulting time series of density profiles at the eastern and western boundaries are
157 vertically integrated to produce dynamic height anomaly profiles from which the internal
158 geostrophic transport is calculated.

159 This internal geostrophic transport is then combined with the Gulf Stream
160 transport through the Florida Straits monitored by a submarine cable, flow over the
161 Bahamas escarpment west of 76.75°W measured by current meters (Johns et al. (2008)),
162 and the wind-driven surface layer Ekman transport and adjusted so that the net transport
163 across the whole section is zero to define the vertical structure of the overall meridional
164 flow across the 26°N section from Florida to Africa. The transport streamfunction is then
165 described by the integral of the transport per unit depth:

$$\Psi(t, z) = \int T(t, z) dz,$$

166 Equation 1.5

167 where Ψ is the overall transport streamfunction. The maximum of this streamfunction is
168 defined as the strength of the AMOC at this latitude.



169

170 **Figure 1.1: Locations of dynamic height (red crosses) and current meter (green crosses) moorings across the**
 171 **26°N section. Zoomed figures of western and eastern moorings are included. The cable measurements of the**
 172 **Gulf Stream in the Florida Straits is indicated with a red line.**

173 As described, vertical profiles of geostrophic transports derived from dynamic height
 174 anomaly profiles are relative to an unknown reference level: the shape of the vertical
 175 profile is defined by the pair of hydrographic stations but the profile is subject to an
 176 offset, or reference level velocity, that is uniform in depth. RAPID uses mass
 177 conservation for the North Atlantic north of 26°N to define the reference level velocity.
 178 The Atlantic north of 26°N is effectively a closed volume: at its northern boundary a
 179 small, order 1 Sv flow goes through the Bering Strait (Woodgate et al. (2005)) and a net
 180 evaporation-precipitation-river inflow of less than 1 Sv enters across the land boundaries
 181 and air-sea interface (Baumgartner and Reichel (1975)). This volume conservation is a
 182 fundamental balance in the ocean. If 1 Sv was to flow into the Atlantic without flowing
 183 out again, the sea surface height (SSH) would be rising at a rate of centimetres per year.
 184 In fact, bottom pressure fluctuations at 26°N have a root mean square (rms) variability of
 185 around 1.5 cm indicative of the Atlantic basin filling and draining on the order of 5-10
 186 days (Bryden et al. (2009)). For constant sea level, the net flow across 26°N must be

187 zero with a tolerance of order 1 Sv. Kanzow et al. (2007) validated this assumption by
188 showing that for bottom pressure measurements with averaging time scales longer than
189 10 days the mass balance between the upper level northward flow and deeper level
190 southward flow holds. For these reasons, the reference level velocity for the mid-ocean
191 geostrophic velocity profile is chosen so that the net northward flow of upper waters
192 exactly balances the southward flow of deeper waters in the mid-ocean at each point in
193 time.

194 The importance of the AMOC lies in the fact that it transports 90% of the ocean's
195 meridional heat transport (MHT) at the latitude of 26.5°N (Johns et al. (2011)). Estimates
196 of MHT using hydrographic sections stretch back to the early 1980's (Bryden and Hall
197 (1980)). Using the RAPID observations, Johns et al. (2011) produced time varying
198 estimates of the MHT at 26.5°N. The MHT is a more difficult quantity to estimate than
199 the AMOC, since it involves the product of velocity and temperature, and thus in
200 principle requires fully resolved velocity and temperature fields across the whole section.
201 The approach to quantifying the MHT uses the construction suggested by Bryden and
202 Imawaki (2001) by considering the overturning ('baroclinic' component in Bryden and
203 Imawaki (2001)) and horizontal heat transport. As discussed in the previous paragraph,
204 the net mass transport through the section ('barotropic' component in Bryden and
205 Imawaki (2001)) is zero. Here the zero mass transport constraint is essential; only when
206 the mass fluxes of these components balance and they are summed together do these
207 temperature transports yield a meaningful *heat transport* value (Montgomery (1974)).

208 The measurements of the AMOC and the MHT from the RAPID array have had a
209 large impact on understanding of the variability of the overturning circulation. The first

210 year's measurements (Cunningham et al. (2007)) showed a variable AMOC that
211 encompassed, over a time period of a few weeks, the full variability seen in the Bryden
212 et al. (2005) measurements. Kanzow et al. (2010) emphasized the large (7 Sv) seasonal
213 cycle in the AMOC at 26°N. McCarthy et al. (2012) showed large variability (a 30%
214 drop) was possible on interannual timescales. Bryden et al. (2014) linked this downturn
215 to the ocean influencing the atmosphere on shorter timescales than were previously
216 thought possible. Recently, Smeed et al. (2014) have shown a multi-year decline in the
217 AMOC, this estimate of a decline is far more robust than the Bryden et al. (2005)
218 measurements due to the understanding of the variability of the AMOC that has been
219 built up over the ten years of the RAPID project.

220 This paper is a detailed review of the trans-basin geostrophic measurements,
221 calculations and errors that are the novel element of the RAPID array. We detail the
222 utilisation of these measurements in the calculation of the AMOC and MHT. We also
223 include several updates to the calculation of the AMOC described in Rayner et al. (2011)
224 including:

- 225 • a detailed estimation of error estimates due to calibration and sampling
- 226 • improved gridding procedure using a new seasonal climatology
- 227 • improved surface extrapolation above the shallowest instrument
- 228 • revised Antarctic Bottom Water strength and vertical structure
- 229 • use of the new equation of state, TEOS-10.

230 And updates to the calculation of the MHT described in Johns et al. (2011) including:

231 • The use of a gridded climatology derived from RAPID moored and Argo
232 temperature and salinity profiles to estimate the Ekman, eddy and mid-ocean
233 heat transport.

234 The RAPID measurements have been used extensively for validation of model estimates
235 of the AMOC (e.g. Xu et al. (2012), Blaker et al. (2014)) and the MHT (e.g. Haines et
236 al. (2013), Msadek et al. (2013)) therefore a detailed understanding of how the RAPID
237 calculations are made is vital to understanding where discrepancies lie between models
238 and observations. This relates to understanding how models fail to emulate observations
239 but also where models can improve the observational analysis, for example Haines et al.
240 (2013), highlighted areas that were undersampled or misinterpreted in the observational
241 record. Finally, while RAPID was the first fully trans-basin AMOC continuous
242 monitoring project, projects in the South Atlantic (South Atlantic MOC Basin-wide
243 Array—SAMBA) (Meinen et al. (2013)) and the sub-polar North Atlantic (Overturning
244 in the Sub-polar North Atlantic Programme—OSNAP) are now underway and hence a
245 review of the development of the original AMOC measurements and monitoring strategy
246 at 26°N is timely.

247 This paper is arranged as follows. Section 2 focuses on the basin-wide internal
248 geostrophic flow from dynamic height moorings. This includes several elements: (2.1)
249 the design of the array; a description of the (2.2) locations, (2.3) calibration, (2.4)
250 merging and gridding of the measurements; a discussion of improvements to the
251 calculation of (2.5) the shallowest transports and (2.6) the deepest transports; and finally
252 (2.7) a description of the changes due to the new equation of state for seawater.

253 Accuracies and errors are discussed in terms of their impact on the estimation of the

254 AMOC. Errors of $O(0.01 \text{ Sv})$ and smaller are described as not significant: this will be
255 shown to be of $O(1\%)$ of the accuracy of the AMOC calculation. In Section 3, we
256 combine the internal geostrophic flow with other components of the circulation at 26°N
257 including the Gulf Stream and Ekman transport. In Sections 4 and 5, the final calculations
258 of the AMOC and of the MHT are presented.

259 **2 The basin-wide geostrophic flow from dynamic height**

260 **moorings**

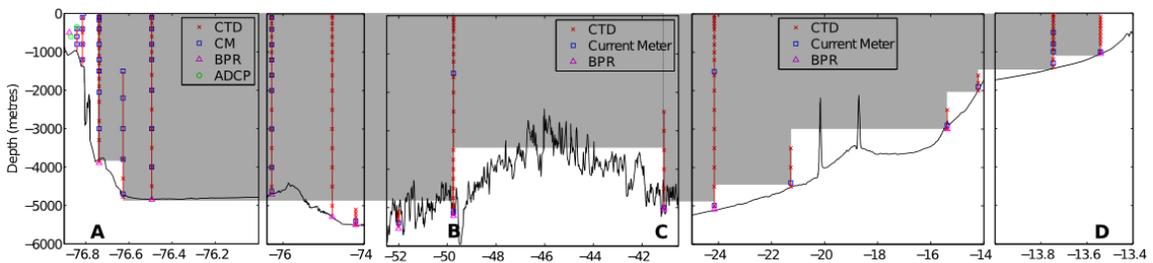
261 2.1 Design of the array

262 Measuring the basinwide geostrophic transports with the RAPID array relies on
263 measuring vertical profiles of temperature and salinity¹ at the eastern and western
264 boundaries at 26°N and where the bathymetry alters the pressure gradients on either side
265 of the mid-Atlantic Ridge. The mid-Atlantic Ridge protrudes up to about 3800 dbar.
266 Below this depth, we use moorings on either side of the ridge to estimate pressure
267 gradients in the deep eastern and western basins. In practice, at 26°N , the array of
268 dynamic height moorings was designed to measure the geostrophic flow from 76.75°W to
269 the African coast. West of 76.75°W to Abaco Island elements of the Antilles and deep
270 western boundary currents are measured with current meters to capture this vigorous flow
271 adjacent to and over the continental shelf (Johns et al. (2008)). West of the Bahamas
272 archipelago, the Gulf Stream at 26°N is confined to the Florida Straits, where it is

¹ ‘Salinity’ means practical salinity in this text. Where absolute salinity is used it is referred to explicitly.

273 monitored by cable measurements calibrated with regular ship sections since 1982
 274 (Baringer and Larsen (2001), Meinen et al. (2010)).

275 The initial moored array deployed in 2004 consisted of 22 moorings with a total
 276 of 192 instruments (Rayner et al. (2005)). In the configuration deployed in Autumn
 277 2012, the array consisted of 19 moorings² and 22 landers³, with a total of 252 instruments
 278 (McCarthy (2012)). Based on experience with the initial deployments some changes in
 279 the locations and design of the moorings have been made (Rayner and Kanzow (2011)).
 280 This has lead to a data return of 100% and 96% for the array as recovered in 2011 and
 281 2012 respectively, compared to 73%, 91% and 85% for the recovery years 2005, 2006
 282 and 2007 respectively. The return rates for these years are high in comparison with recent
 283 results from other long-term operational moored arrays such as the TAO array in the
 284 Pacific (McPhaden et al. (2010)).



285
 286 **Figure 2.1: Design of the array for calculation of the basinwide geostrophic transport as deployed in October**
 287 **2012. Vertical red lines indicate the location and vertical extent of the moorings. Instruments are as indicated in**
 288 **the legend. Locations A, B, C and D refer to the western, ‘marwest’, ‘mareast’ and eastern boundary arrays**
 289 **respectively. Note the x-axis is not scaled evenly. The shaded areas are the effective area included in the dynamic**
 290 **height calculation.**

² “Moorings” refers to wire/rope constructions with instruments that take measurements in the water column.

³ “Landers” refers to seafloor constructions equipped with bottom pressure recorders.

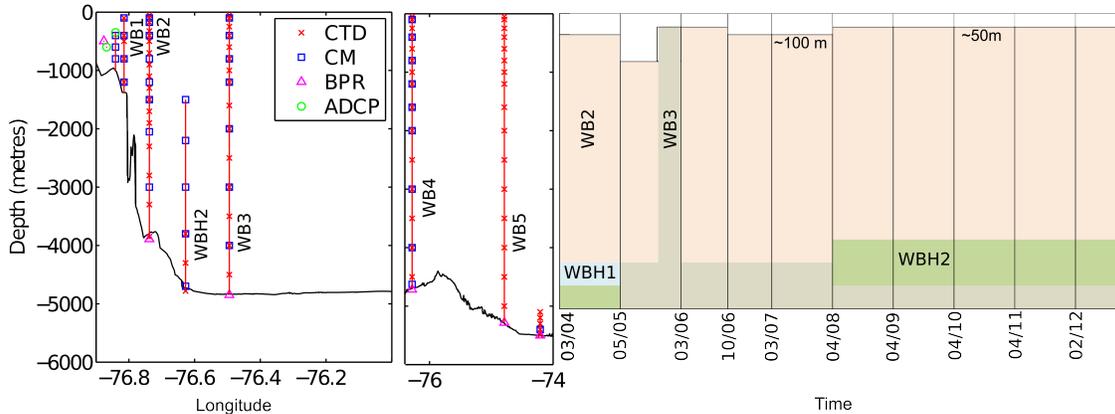
291 The array was designed similar to the virtual arrays simulated by Hirschi et al. (2003)
292 and Baehr et al. (2004) to monitor the AMOC in the ocean general circulation models
293 OCCAM and FLAME respectively (Figure 2.1) Within this overall array, we consider the
294 three sub-arrays highlighted in Figure 2.1: (A) the western boundary array, (D) the
295 eastern boundary array and (B) the mid-Atlantic Ridge array consisting of moorings on
296 the western flank (marwest) and (C) eastern flank (mareast) of the ridge. A single
297 hydrographic profile for each sub-array is constructed by horizontally merging the
298 moorings, giving profiles from the shallowest instrument to 4820 dbar at marwest, the
299 eastern and western boundaries, and, at mareast, from 3700 dbar to 4820 dbar. Dynamic
300 height anomaly calculated at each of these locations is referenced to 4820 dbar—the
301 deepest standard measurement level. The transport profile is then proportional to the
302 difference between each adjacent pair of merged dynamic height anomaly profiles, prior
303 to adjustment for mass conservation.

304

305 To account for the mid-Atlantic ridge, transports deeper than the ridge crest at 3700 dbar
306 are the sum of the transports from the eastern boundary to mareast plus those from
307 marwest to the western boundary. Shallower than the ridge crest, the transports are
308 essentially the dynamic height difference between the eastern and western boundaries.
309 The transports shallower than the ridge crest and those deeper than the ridge crest are
310 adjusted so that there is no discontinuity at 3700 dbar. The mid-Atlantic ridge array is
311 particularly important in resolving the mean northward flow between the western flank of
312 the ridge at depths greater than the permeable height of the ridge (pressures greater than
313 3700 dbar) and the western boundary. If the mid-Atlantic ridge moorings are excluded,

314 the calculated AMOC is overestimated by about 1.6 Sv as this deep northward flow is
 315 unaccounted for.

316 2.2 Location of the measurements in the sub-arrays

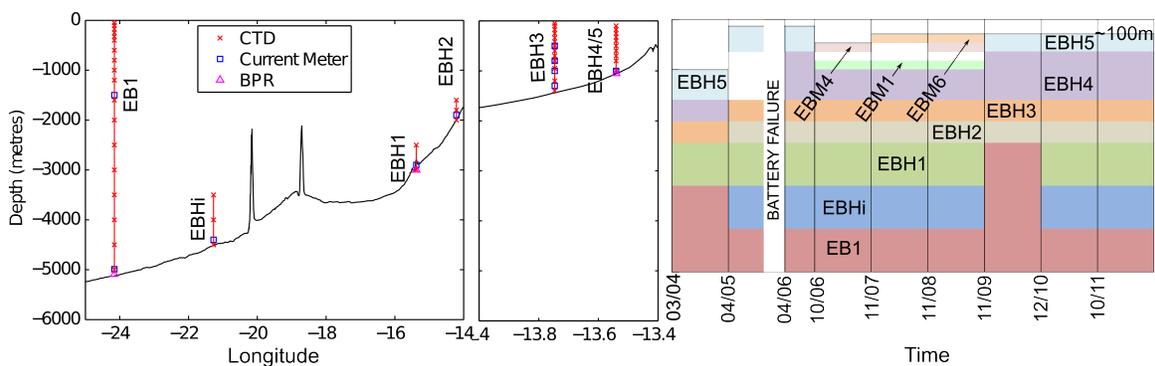


317
 318 **Figure 2.2: (l) Schematic of moorings in the western boundary sub-array as deployed in October 2012 with the**
 319 **names of each mooring indicated. The instrument types are as indicated by the legend. (r) Schematic illustrating**
 320 **the merging of the moorings to construct the western boundary dynamic height anomaly profile at 26°N. Each**
 321 **colour block represents an individual mooring covering a given depth range (depth axis corresponds to left axis)**
 322 **and deployment period (dates in mm/yy format). The depth of the shallowest instrument is illustrated by**
 323 **whitespace at the top. WBH1 (not shown on left) lay between WBH2 and WB2.**

324 A schematic of the moorings that comprise the western boundary sub-array is
 325 shown in Figure 2.2; the moorings that are merged to create the western boundary
 326 temperature and salinity profile are illustrated on the right, where each colour block
 327 represents a mooring that covers a particular time and depth range; the mooring names
 328 and zonal location of the moorings are shown on the left. The most important mooring is
 329 the WB2 mooring that extends from approximately 50 m below the surface to 3850 m
 330 depth, close to the steep continental shelf east of Abaco Island. The gradient of the
 331 continental slope is 0.35 near WB2, which is only 7 km offshore of the 1500 m isobath.

332 This large gradient means that the continental slope acts similar to a vertical wall.
 333 Westward propagating mesoscale features cannot be sustained near to vertical walls and
 334 transform into meridionally propagating waves (Kanzow et al. (2009)). The suppression
 335 of these westward propagating mesoscale features at the western boundary results in the
 336 RAPID array measuring a standard deviation of a few Sv (Cunningham et al. (2007))
 337 rather than 16 Sv that would be expected if an eddy dominated signal were being
 338 measured (Wunsch (2008)). In fact, the steepness of the western boundary proved to be a
 339 crucial element to the effective measurement of the basinwide AMOC signal in an eddy
 340 filled ocean. This, together with the Gulf Stream measurements in the Florida Strait, is
 341 why 26.5°N is such an excellent location to make these measurements.

342 One significant period of data interruption occurred on the western boundary.
 343 From November 2005 to March 2006, the WB2 mooring failed (Figure 2.2). For this time
 344 period the mooring WB3 was the primary western boundary mooring. Repeating the
 345 calculation of the AMOC using WB3 as the western boundary generally leads to an
 346 increase in the rms variability of 1.9 Sv with a slight decrease in the mean strength of 0.3
 347 Sv for these 5 months.

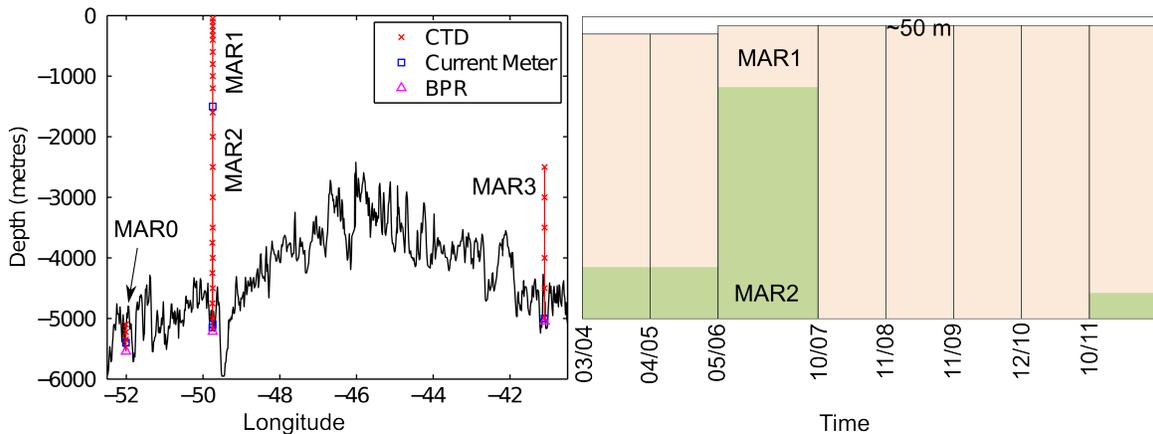


348
 349 **Figure 2.3: Same as 2.1 but for Eastern boundary sub-array. Mini-moorings (EBM) were inshore of EBH4/5 at**
 350 **the depth corresponding to the right hand figure.**

351 Figure 2.3 shows the mooring schematic for the eastern boundary sub-array,
352 showing the location of the moorings and the moorings chosen to construct the eastern
353 boundary profile. In contrast to the western boundary, the eastern boundary has a gentle
354 continental slope with an average gradient of 0.02 from 1000 m to 3000 m depth,
355 dropping to 0.002 from 3000 m to 5000 m depth. The eastern boundary array spans a
356 much larger zonal extent with 1000 km separating the shallowest moorings on the 1000
357 m isobath from the deepest moorings on the 5000 m isobath. On average, 7 moorings are
358 used to construct the eastern boundary profile in contrast to the 3 moorings used on the
359 western boundary. This leads to regions known as bottom triangles below the deepest
360 common measurement level between the moorings that are not sampled. The array is
361 designed to minimize these bottom triangles. The full array covers 97% of the basin
362 area—practically 100% shallower than 3000 m. The impacts of bottom triangles are
363 considered further in the conclusions.

364 Constructing the eastern boundary profile with moorings close to the continental
365 shelf proved important for capturing the density fluctuations associated with the seasonal
366 cycle of the AMOC (Chidichimo et al. (2010)). From 2006 to 2008, a series of mini-
367 moorings consisting of single CTDs and shallow-rated acoustic releases were deployed
368 inshore of the 1000 m isobath to extend the merged density profile close to the African
369 coast. The deployment of these mini-moorings ceased following heavy losses through
370 what is thought to have been fishing activity: 58% of mini-mooring deployments were
371 either not found or lost the CTD from the mooring. Since 2009, the top 1000 m of the
372 water column is resolved by a mooring that sits on the 1000 m isobath (Figure 2.3).

373 Another data loss at the eastern boundary occurred in February and March 2006
 374 due to battery failure of eastern boundary instruments related to a firmware change. This
 375 gap was linearly interpolated over. Simulation of linear interpolation across any 2 month
 376 segment of data at the eastern boundary typically results in a decrease in the rms
 377 variability of the calculated 10-day filtered AMOC by 1 Sv with no significant impact on
 378 the mean.



379
 380 **Figure 2.4: Same as Figure 2.1 but for mid-Atlantic Ridge sub-array. Merging schematic for mareast is not**
 381 **shown as it is a single mooring (MAR3).**

382 Figure 2.4 shows the schematic of the moorings at the mid-Atlantic ridge. These
 383 moorings are concentrated in two sub-arrays: one on the western flank of the ridge
 384 (marwest) and one at the eastern flank of the ridge (mareast). The mareast profile is
 385 constructed from a single mooring and hence the merging schematic is not shown. On the
 386 west flank, two moorings are merged to make a full depth profile (Figure 2.4 (b)).

387 The mareast mooring deployed in November 2009 was not recovered and a
 388 replacement was not deployed until January 2011. For this time period, mareast was
 389 replaced by average values. The estimated additional uncertainty and variance of the
 390 AMOC from this is not significant (< 0.1 Sv) as the mareast mooring is more important

391 to the mean structure of the deep circulation than to the variability of the full circulation
392 as measurements shallower than 3800 dbar are unaffected.

393 2.3 Calibration accuracy of moored CTDs

394 As the calculation of the AMOC relies on geostrophic dynamics, the accurate
395 determination of density from the moorings is crucial (Equation 1.3). Moored CTDs are
396 used to measure temperature, salinity (via conductivity) and pressure on the moorings,
397 from which density is calculated. In this section we describe the calibration procedure,
398 the major sources of calibration inaccuracy and the size of that inaccuracy in terms of the
399 impact on the AMOC calculation.

400 Pumped SeaBird CTDs are the instruments that are used on the moorings. These
401 have a manufacturers specification for temperature (initial accuracy: stability: resolution)
402 of 2 m°C: 0.02 m°C/month: 0.01 m°C; for conductivity of 0.003 mS/cm: 0.003
403 mS/cm/month: 0.0001 mS/cm; and for pressure of 0.1% full-scale:0.05% of full scale
404 range per year: 0.002% of full scale range (Sea-Bird Electronics (2014)). All moored
405 instruments are calibrated against shipboard CTDs prior to and following deployment as
406 described in Kanzow et al. (2006), rather than being calibrated in a laboratory.

407 Temperature and conductivity calibration coefficients are calculated by examining the
408 average difference between the shipboard and moored CTD data after the instruments
409 have had a chance to equilibrate (> 5 mins) at deep (> 2000 m) bottle stops. Pressure
410 coefficients are determined using the difference between the deployment depths of the
411 moored instrument and the shipboard CTD. A least squares polynomial extrapolation is
412 performed to derive the pressure coefficient if the shipboard CTD cast was shallower
413 than the depth at which the moored CTD was deployed. Pre and post calibration

414 coefficients are then used to calibrate the moored CTD data with either a constant offset
415 or a linear trend. Any pressure drifts and spurious data are removed if necessary. A
416 detailed analysis of this method by Rayner et al. (in prep) shows that this method of
417 shipboard calibration of temperature and salinity compares well with laboratory
418 calibration of moored CTDs. They also show that the adjustments required for the
419 instruments are frequently less than the manufacturer's stated accuracy and stability.
420 Following this calibration procedure, we estimate that the accuracy of the moored
421 instruments is approximately 1 dbar:0.002°C:0.003 for pressure:temperature:salinity
422 respectively over the duration of the deployment.

423 Calibration inaccuracies can affect the calculation of the AMOC in two ways:
424 errors due to individual instruments being inaccurate or systematic biases between
425 density profiles on the eastern or western boundary (Equation 1.4). We expect no
426 systematic bias in the accuracies of the instruments themselves. Hence random errors due
427 to individual instruments in each boundary dynamic height anomaly profile are offset by
428 the fact that, on average, there are 20 instruments in each profile. This reduces the
429 standard error in each profile due to potential inaccuracies of individual instruments
430 substantially. On the other hand, from 2004 to 2012, the eastern and western sub-arrays
431 were serviced on different cruises i.e. the instruments were calibrated against different
432 CTDs. Temperature measured by shipboard CTDs is highly accurate and stable, and is
433 not generally adjusted by calibration. Salinity measured by shipboard CTDs, on the other
434 hand, does need to be calibrated against standard seawater. Pressure measured by
435 shipboard CTDs is not adjusted. In comparison with shipboard CTDs, moored CTD
436 temperature is accurate and often not adjusted whereas moored CTD salinity and pressure

437 does need to be calibrated against shipboard CTDs. Hence the limiting factor is the
438 accuracy of the salinity and pressure of the CTD against which the instruments are
439 calibrated.

440 Salinity proves to be the most important factor in terms of impact on the AMOC
441 calculation. A 0.003 difference in salinity between eastern and western profiles leads to a
442 0.7 Sv error in the estimated AMOC. In comparison, a 1 dbar bias in pressure results in a
443 0.05 Sv error in the estimated AMOC. Pressure errors also affect the calculation of
444 salinity. A 1 dbar error in pressure leads to a 0.0005 error in salinity. We do not consider
445 a temperature bias as temperature measurements are very consistent but, for comparison,
446 a 0.002°C error in temperature leads to a 0.1 Sv error in the estimated AMOC.

447 Temperature has a large effect on the calculation of salinity with a 0.001°C error in
448 temperature causing a 0.001 error in salinity. Hence, the compound effect of a 0.002°C
449 error in temperature would be a 0.6 Sv error in the calculated AMOC. In summary,
450 salinity and pressure are vulnerable to bias due to their necessary calibration against
451 shipboard CTDs. A salinity bias of 0.003 and a pressure bias of 1 dbar (including the
452 pressure effect on salinity) would lead to an error in the estimated AMOC of 0.9 Sv.

453 This 0.9 Sv error results from consideration of the measurement inaccuracy at one
454 boundary. The maximum error is double this value as an opposite error could occur on
455 the opposite boundary. To compare with other rms errors quoted in this text, we consider
456 the 1.8 Sv maximum error to be equivalent to the 95% value. Scaling this value by
457 dividing by a 1.64 (i.e assuming the errors to be normal), and converting it by considering
458 the 2 shipboard CTDs as the sample number, we get an estimated error of 0.8 Sv in the
459 AMOC calculation due to the calibration error.

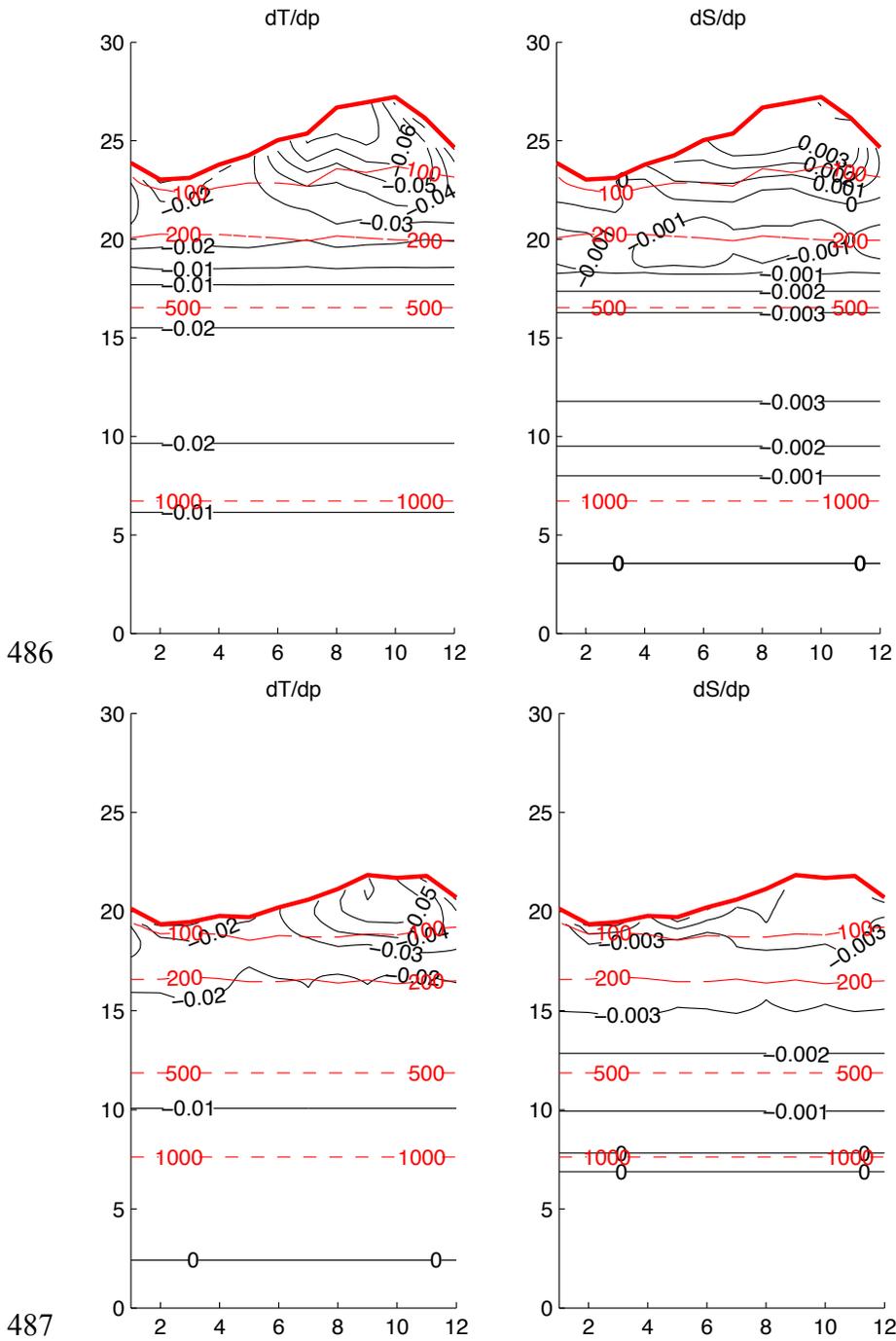
460 The major source of error arising from potential biases due to the intercalibration of
461 the sub-arrays means that longer term averaging doesn't significantly increase the
462 accuracy of the calculation. Consider a year segment: typically the eastern boundary
463 array was deployed autumn to autumn and the western boundary array from spring to
464 spring. For a given year, there are three independent calibrations of each sub-array. If the
465 major error is the difference between two independent calibrations, then an annual
466 average only increases the number of samples from 2 to 3. Hence the error estimate of 0.8
467 Sv only reduces to 0.6 Sv on annual averaging. The issue of intercalibration of CTDs has
468 been removed following McCarthy (2012) when the full array was refurbished in a
469 single cruise. This allows all instruments to be calibrated against a single CTD, reducing
470 possible calibration bias between east and west salinities.

471 2.4 Merging and gridding

472 The calculation of the dynamic height anomaly profiles requires the interpolation of the
473 relatively sparse moored instrument data onto a high resolution vertical grid. This is
474 achieved by integrating climatology-derived temperature and salinity gradients between
475 adjacent instruments to produce temperature and salinity on a 20 dbar grid (Johns et al.
476 (2005), Kanzow et al. (2006)).

477 The Hydrobase climatology (Curry and Nobre (2008)) is used to derive monthly
478 values of $\partial T/\partial p$ and $\partial S/\partial p$ that specify the mean vertical temperature and salinity
479 gradients as a function of temperature at the locations of the moorings. Figure 2.5 shows
480 the monthly climatological gradients for the western and eastern boundaries. A seasonal
481 cycle is present in the surface waters above 300 dbar, approximately 18°C. Piecewise

482 second order polynomials are fitted to temperature and salinity profiles from the
483 climatology to compute smooth first and second order vertical derivatives. These were
484 then mapped onto temperature levels as Johns et al. (2005) found temperature a more
485 stable variable than depth for gridding.



486
 487
 488 **Figure 2.5: Values of monthly of $\partial T/\partial p$ and $\partial S/\partial p$ (black contours) against temperature at (top) the western**
 489 **and (bottom) eastern boundaries. The marwest climatology is similar to the western climatology. Pressures are**
 490 **shown with red contours with heavy red line indicating the 50 dbar mark.**

491 Temperature and salinity on the 20 dbar grid are calculated using the method of
492 Johns et al. (2005). For temperature, the climatological $\partial T/\partial p$ is combined with the
493 actual temperatures by integrating upwards and downward from adjacent measurement
494 points on the mooring and forming a weighted average of these estimates (Johns et al.
495 (2005)):

$$T(p) = \sum_{i=1}^2 w_i [T(p_i) + \int_{p_i}^p \frac{\partial T}{\partial p} (T) dp],$$

496 Equation 2.1

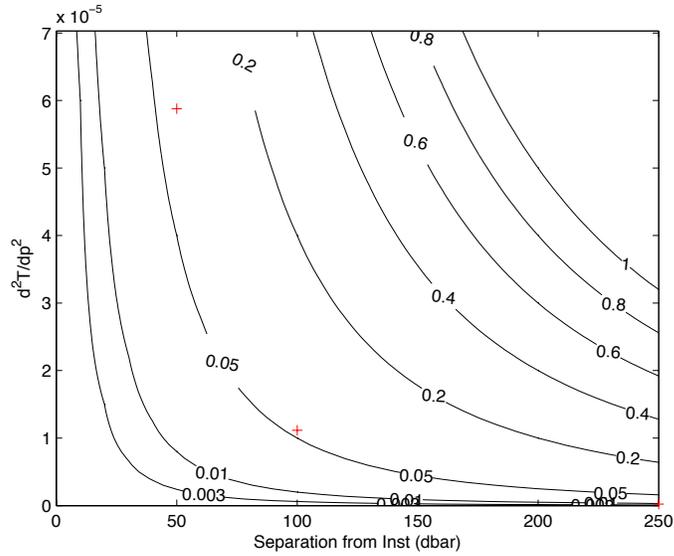
497 where

$$w_i = 1 - \frac{|p - p_i|}{p_2 - p_1}$$

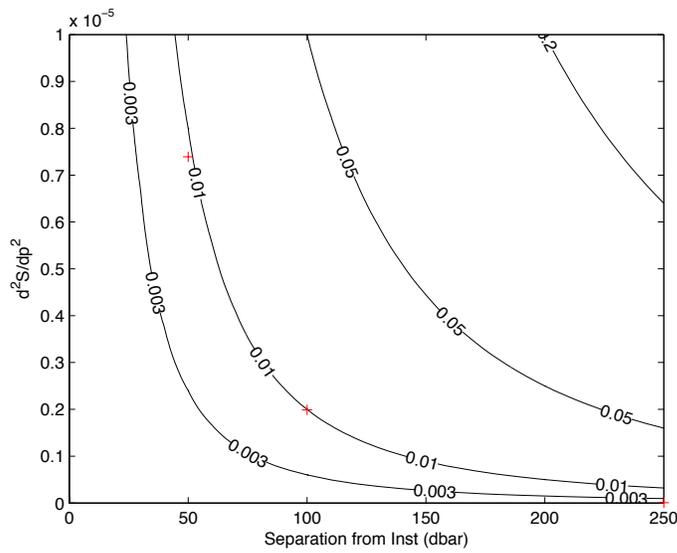
498 and $i=1, 2$ are adjacent measurement levels, and the weights w_i are inversely proportional
499 to the vertical distance from the measurement depths. The same procedure is used to
500 produce a 20 dbar salinity field. This procedure forces the temperature and salinity
501 profiles through the measured points of the mooring while being consistent with the local
502 seasonal stratification.

503 The transport errors associated with this method of gridding are assessed by
504 subsampling high resolution CTD profiles at typical moored instrument vertical
505 separation. Moored instruments are placed closer together in regions of larger vertical
506 gradients. A guideline is that instruments shallower than 500 dbar have separations less
507 than 100 dbar, instruments between 500 dbar and 2000 dbar have separations around 200
508 dbar and instruments deeper than 2000 dbar have separations of approximately 500 dbar.
509 Subsampling temperature and salinity from the CTD profiles at these intervals, we

510 construct simulated ‘moored’ high resolution dynamic height anomaly profiles around the
511 eastern and western boundaries by using Equation 2.1 and, for comparison, by linear
512 interpolation. The AMOC is estimated using both of these reconstructed profiles and
513 compared to the value computed using the full CTD profiles. Using Equation 2.1 results
514 in an rms error of 0.4 Sv and a small bias of 0.04 Sv. By comparison, linear interpolation
515 results in an rms error of 0.5 Sv and a much larger bias of 0.3 Sv, underestimating the
516 AMOC. The bias arises from linear interpolation across rapidly changing gradients in the
517 top 1000 m. While this gridding procedure doesn’t reduce the rms error in the profiles by
518 a large amount, the virtual elimination of a bias is a marked improvement.



519



520

521 **Figure 2.6: Estimates of theoretical next order gridding error based on Equation 2.2 for temperature (°C, top)**
 522 **and practical salinity (bottom) gridding errors. Red crosses indicate errors for the typical maximum distance**
 523 **from an instrument and associated rates of shear change for a RAPID mooring.**

524 The size of the error associated with gridding in a general framework is
 525 considered by examining the error associated with the rate of change of the vertical
 526 gradient in temperature and salinity. The right hand side of Equation 2.1 is recognisable
 527 as the first two terms of a weighted Taylor expansion. Therefore, the next term of the
 528 expansion can be considered as an estimate of the next largest error term. For example,

529 the temperature error associated with the next largest term in the expansion may be
530 expressed as:

$$T_{\text{error}} \sim \frac{1}{2} \frac{\partial^2 T}{\partial p^2} (p - p_i)^2,$$

531 Equation 2.2

532 where p_i is the pressure of the nearest instrument. This allows us to estimate the errors
533 associated with the gridding technique. Figure 2.6 shows this error term contoured
534 against instrument separation and rates of shear change. Based on the typical separation
535 of instruments described in the previous paragraph, the maximum distance from an
536 instrument and typical rates of shear change are highlighted with red crosses. Maximum
537 errors in temperature (salinity) are of the order of 0.05°C (0.01) shallower than 2000 dbar.
538 Below 2000 dbar, the shear change is small and errors due to gridding drop below
539 instrumental accuracy.

540 The impact of utilising a monthly rather than an annual gridding climatology is
541 quite small. Annual climatologies do not contain a seasonal cycle and may underestimate
542 the shear in the upper ocean. Using a seasonal gridding climatology rather than an annual
543 leads to the estimated AMOC being stronger by 0.05 Sv in September and weaker by
544 0.01 Sv in February.

545 While the vertical gradients on the east are more forgiving in terms of gridding,
546 there have been more instrument losses (Section 2.2). Here we investigate the errors
547 arising from these losses by simulating missing instruments in CTD data. The losses at
548 the eastern boundary, primarily due to the mini-mooring losses, are illustrated in Figure
549 2.3. From 2006 to 2008, there was no instrument at 300 dbar; simulating the absence of
550 this instrument indicates no discernable bias but a small increase in rms error of 0.2 Sv.

551 However, during 2007, there was no instrument at 200 dbar or 300 dbar. Simulating these
552 missing instruments indicates a transport bias of 0.4 Sv and increases the rms error by 0.9
553 Sv due to larger gridding errors for 2007. In 2004, data were not present shallower than
554 540 dbar. These data were gridded by linearly extrapolation from 840 dbar to 540 dbar
555 and held constant thereafter. Simulation of this method results in no bias arising but an
556 increase of rms error of 0.5 Sv.

557 In summary, the use of seasonal climatological gradients to increase the vertical
558 resolution of the moored profiles are effective at improving the accuracy of the dynamic
559 height anomaly profiles. The rms uncertainty in the estimated AMOC due to gridding is
560 0.4 Sv for the whole timeseries. The loss of instruments increases the errors by 0.2 Sv,
561 0.9 Sv and 0.2 Sv for 2006, 2007 and 2008 with a bias of -0.4 Sv for 2007.

562 2.5 The shallowest transports: the transport above the shallowest instrument

563 RAPID moorings are designed to have the shallowest measurement at 50 m to
564 avoid the high loss rates associated with surface expressions of moorings (McPhaden et
565 al. (2010)). In reality, a depth of 50 m for the shallowest measurement is difficult to
566 achieve since moorings tend to be knocked down in the presence of strong currents.

567 Table 2.1 shows the percentages of profiles with the shallowest measurement in a
568 given depth range. Most of the profiles have the shallowest measurement in the 100 to
569 200 dbar depth range—deeper than the depth of the shallow summer thermocline that
570 begins around 50 dbar. To calculate transport above the shallowest measurement, a
571 seasonally varying extrapolation technique is required. Here we compare linear
572 extrapolation of geostrophic shear with methods that account for the seasonally changing
573 rates of shear in the shallowest layers.

574 Table 2.1: Percentage of profiles at the western and eastern boundary with the shallowest
575 instrument in the indicated depth range.

	≤ 100 dbar	200-100 dbar	≥ 200 dbar
Western Boundary	39%	49%	10%
Eastern Boundary	14%	84%	1%

576

577 Figure 2.7 illustrates the problem of surface extrapolation at the western boundary

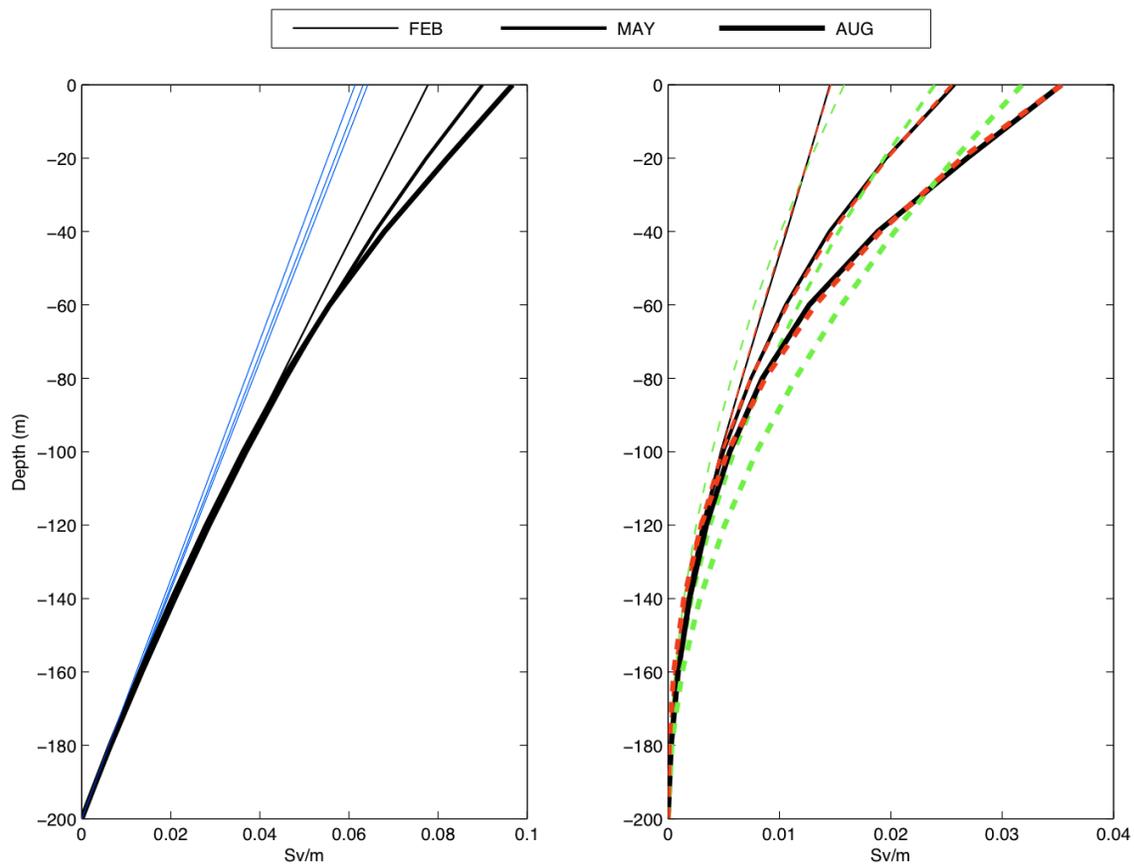
578 using monthly data from an Argo based climatology (Roemmich and Gilson (2009)).

579 When data are not present shallower than 200 dbar, linear extrapolation does not capture

580 changing rates of shear shallower than 150 dbar. This leads to transports of between 1 Sv

581 in February and 2 Sv in August not being captured by linear extrapolation. Terms of

582 higher order than linear in depth are necessary (Figure 2.7):



583

584 **Figure 2.7: (left) Typical transport profile anomaly relative to 200 dbar for February, May and August on the**

585 **western boundary. Blue lines indicate linear extrapolation from 200 dbar. (right) Black lines indicate the**

586 **residual dynamic height anomaly after linearly extrapolated values are subtracted. Green dashed lines indicate**

587 **a quadratic and red lines indicate a cubic fit to the black lines.**

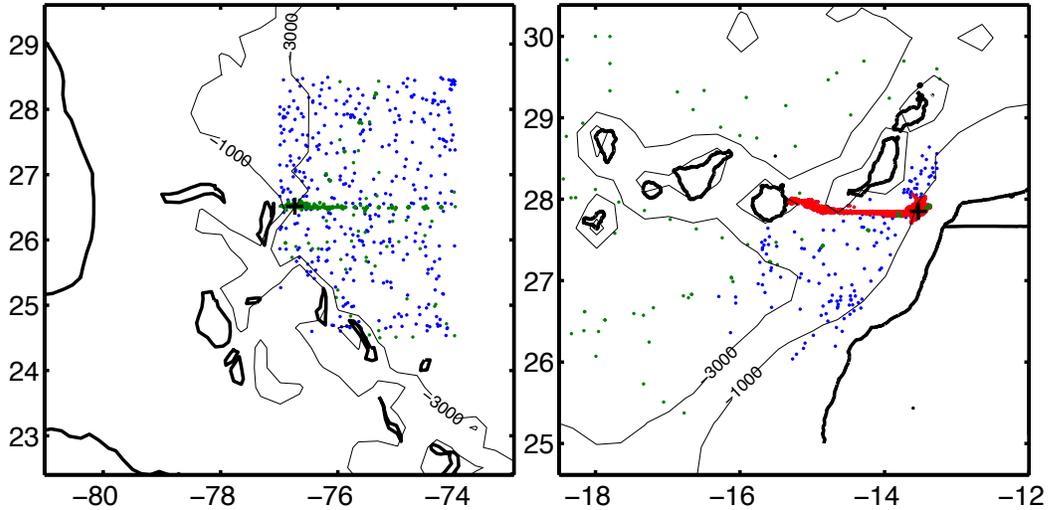
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589 Cubic terms are needed to adequately resolve the changes in geostrophic shear in
590 the shallowest layers. A model of the form:

$$\Phi(z_e) = \Phi_{k-1} + \frac{z_e - z_{k-1}}{z_k - z_{k-1}} (\Phi_k - \Phi_{k-1}) + \alpha_i (z_e - z_r)^2 + \beta_i (z_e - z_r)^3 - \Phi_{step}(z_k),$$

591 is used for accurate extrapolation, where Φ is dynamic height anomaly, z_e is
592 extrapolation depth, z_k indicates the depth of the shallowest measurement. The
593 parameters α and β are discrete variables dependent on month i , calculated relative
594 to reference depth z_r —here chosen to be 200 dbar. The first two terms on the right
595 hand side of the equation describe linear extrapolation above the shallowest
596 measurement, the second two terms describe the monthly varying quadratic and
597 cubic extrapolation above the reference depth, and the final term ensures continuity
598 at the depth of the shallowest measurement.

599 To calculate the parameters α and β , reference datasets close to the key
600 locations of the moorings were assembled from a combination of Argo profiles,
601 World Ocean Database (WOD) profiles and glider profiles (Smeed and Wright
602 (2009)). Figure 2.8 shows the locations of these profiles at the eastern and western
603 boundaries. The Argo and glider data are particularly useful for providing
604 seasonally unbiased data while the targeted WOD data provide important
605 measurements near to the continental shelf of the Bahamas. The glider data
606 provides measurements around the 1000 m isobath where the key eastern mooring
607 is located. The parameters α and β were then calculated by multiple linear
608 regression against dynamic height anomaly profiles from each month.



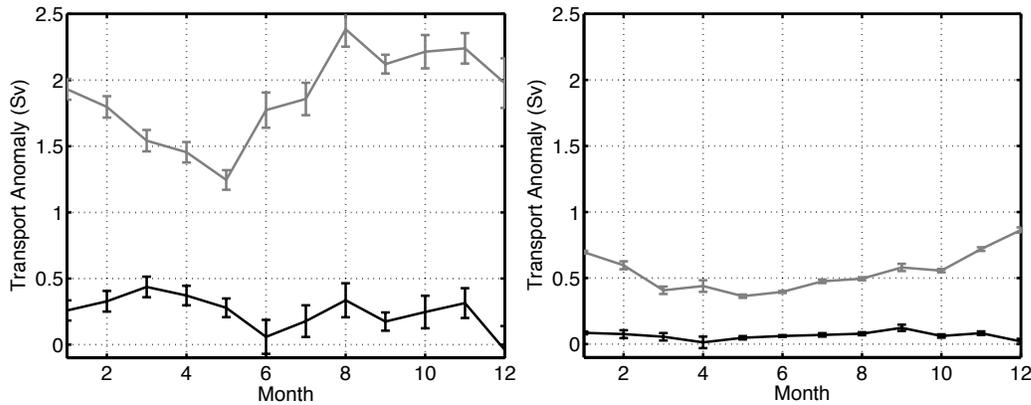
609

610 **Figure 2.8: Locations of Argo (blue), World Ocean database (green) and glider (red) profiles that are used as a**
 611 **reference dataset for the shear extrapolation climatology at the (left) western and (right) eastern boundaries.**
 612 **Black crosses mark the nominal position of the moorings above which extrapolation is needed.**

613 The results were tested robustly by randomly selecting half of the profiles to
 614 calculate the parameters and using the other half of the profiles to calculate the resulting
 615 transport error due to the method of extrapolation. This was performed on the eastern and
 616 western boundaries by simulating extrapolation above 200 dbar (Figure 2.9) and above
 617 100 dbar (Figure 2.10). Errors due to linear extrapolation are largest at the western
 618 boundary. On average, 2 Sv of transport is missed by linear extrapolation above 200 dbar
 619 with an annual range of ± 0.5 Sv. The new method of extrapolation reduces this to below
 620 0.5 Sv with little annual range. On the eastern boundary, 0.5 Sv of transport is missed due
 621 to linear extrapolation. The new method reduces this to practically zero. Linear
 622 extrapolation above 100 dbar at the western boundary misses 0.2 Sv in February, rising to
 623 1 Sv in August, with the new method reducing this below 0.2 Sv. On the eastern
 624 boundary, linear extrapolation above 100 dbar misses 0.2 Sv with the new method
 625 reducing this to practically zero also. The implications are that, when the shallowest

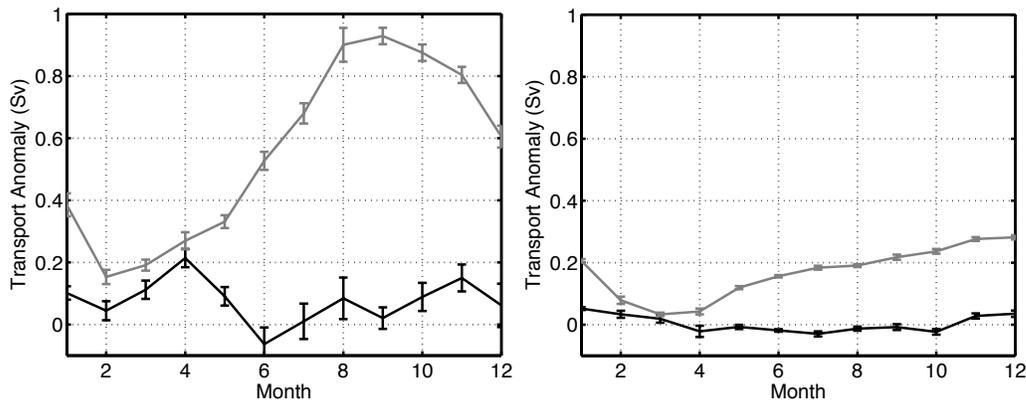
626 measurement is at 200 dbar, linear extrapolation results in an extra 1.5 Sv of northward
 627 basinwide flow and, when the shallowest measurement is at 100 dbar, linear extrapolation
 628 results in an extra 0.7 Sv in August and 0.2 Sv in February.

629



630

631 **Figure 2.9: Transport anomaly errors (positive error means overestimation of northward transport) associated**
 632 **with linear (gray) and monthly polynomial (black) extrapolation above 200 dbar for (left) western and (right)**
 633 **eastern boundaries. Error bars are ± 1 standard error.**



634

635 **Figure 2.10: As Figure 2.9 but for extrapolation above 100 dbar.**

636 The seasonal behavior at the western boundary is also typical of that at the mid-
 637 Atlantic ridge i.e. strong seasonality in the upper 50 m due to the development of a
 638 shallow, warm seasonal thermocline in the late summer. In this respect, the eastern
 639 boundary is different from the rest of the basin being in an upwelling regime where the

640 seasonal effects of heating are negated by the strong upwelling that occurs during the late
641 summer and autumn e.g. Mittelstaedt (1983).

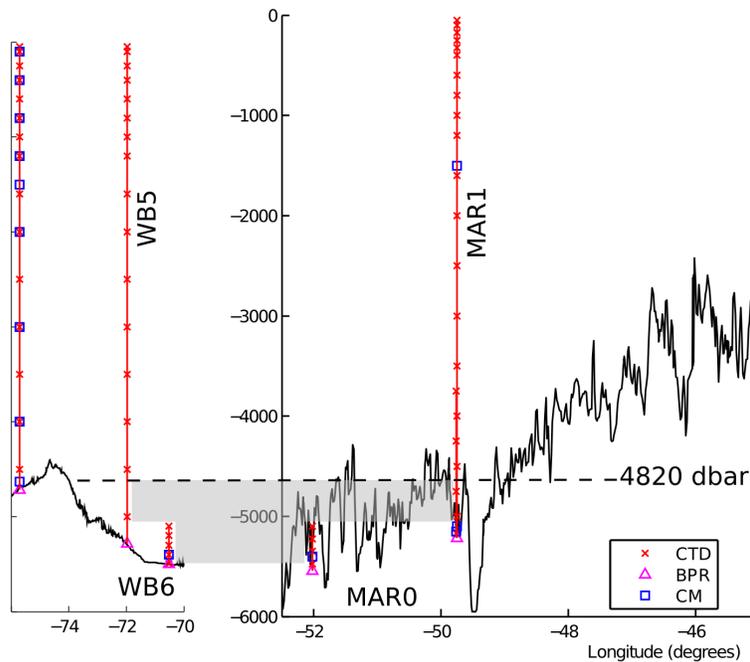
642 Alternative methods for extrapolation were also considered. Using a sea surface
643 temperature (SST) value (Reynolds et al. (2007)) with a climatological sea surface
644 salinity point and interpolating to the shallowest measurement using the methods
645 described in Section 2.4 was tested. This proved effective when the shallowest
646 measurement was at 100 dbar but had errors of ± 0.5 Sv when the shallowest
647 measurement was at 200 dbar. Seasonal errors also remained using this method as
648 SST and dynamic height anomaly integrated through the seasonal mixed layer lag
649 one another due to the persistence of cold temperatures in the deep winter mixed
650 layer. Incorporation of a measured SST value would allow for interannual
651 variability. However, no discernable interannual variability was found in the
652 parameters α and β so its inclusion did not improve the results.

653 As noted above, previous versions of the RAPID calculation have used linear
654 extrapolation of dynamic height anomaly above the shallowest measurement and will
655 contain errors of the magnitude described here. Haines et al. (2013) compared the
656 RAPID measurements with two data assimilating models and found that the models had
657 an additional 1.5 Sv flowing southwards in the top 150 m during late summer, leading to
658 a reduction of 1.1 Sv in the strength of the AMOC. Their conclusion that this was likely
659 to be the result of the extrapolation method used in previous RAPID calculations is
660 consistent with the conclusions here. The method of seasonal extrapolation presented
661 here significantly improves the transport estimates in the upper few hundred metres.

662 In summary, this new method reduces the mean strength of the estimated AMOC
663 by 0.4 Sv over the full duration of the timeseries—this is due to little change in the winter
664 months and around a 1 Sv decrease in the estimated AMOC during late summer. The
665 change acts to slightly decrease the amplitude of the seasonal cycle as described by
666 Kanzow et al. (2010).

667 2.6 The deepest measurements: estimates of Antarctic Bottom Water transport

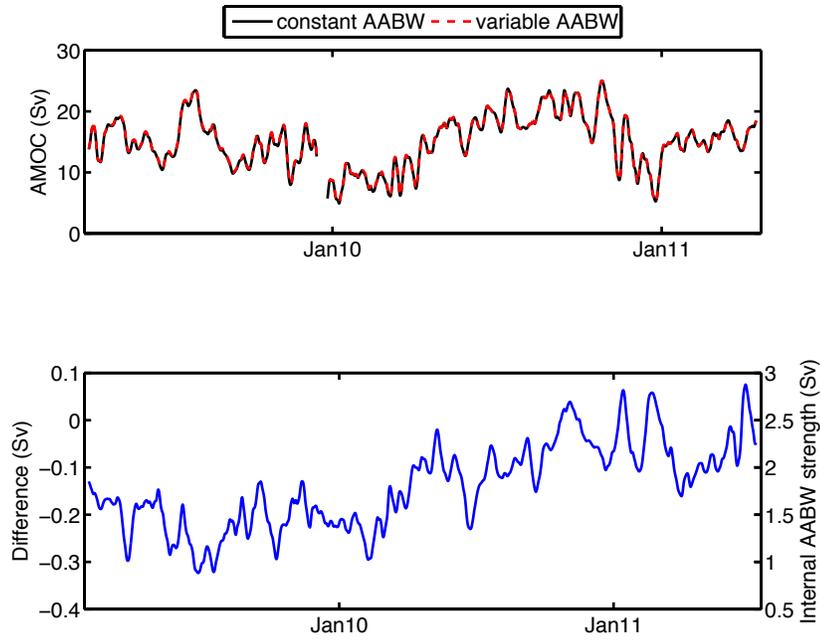
668 The deepest measurements pose challenges due to the large pressures and often highly
669 variable topography in the abyssal ocean. The RAPID array measures from the near
670 surface to 4820 dbar. However, most of the northward flowing Antarctic Bottom Water
671 (AABW) occurs deeper than this. Between 2.2 and 3.7 Sv of AABW flows northwards in
672 waters colder than 1.8°C at 26°N in the region of 70.5°W and 49°W (Frajka-Williams et
673 al. (2011)). Here we incorporate two years of deep moored measurements into the
674 estimation of the AMOC to assess the mean structure and variability of the flow deeper
675 than 4820 dbar.



676

677 **Figure 2.11: Location of the moorings that are used for calculating northward flow below 4820 dbar, which**
 678 **includes AABW. Grey shading indicates the area that the flow is calculated.**

679 Two years of continuous mooring data measuring the deep flow are available
 680 from April 2009 to April 2011. The key deep moorings are WB6 and MAR0 (Figure
 681 2.11). These are combined with WB5 and MAR1 respectively to create merged
 682 temperature and salinity profiles that extend to 5500 m. These profiles are appended to
 683 the full western boundary profile and to the marwest profile. The extended western and
 684 marwest profiles can then be included in the full basinwide transport calculation as
 685 described in Section 2.1. Dynamic height anomaly is calculated from the extended
 686 western boundary and the marwest profiles and differenced to calculate the geostrophic
 687 flow between them. Following the methods established by Frajka-Williams et al. (2011),
 688 these dynamic height anomaly profiles are referenced to 4100 dbar and linearly
 689 interpolated from 5500 dbar to zero at 6000 dbar, the area of the section deeper than 6000
 690 dbar being quite small.



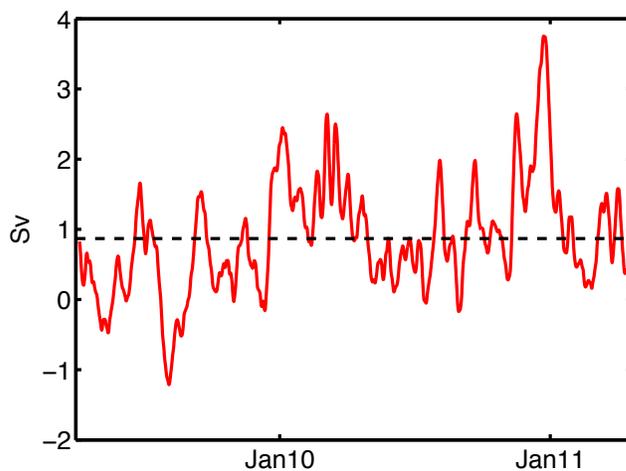
691

692 **Figure 2.12: (top) Full AMOC strength calculated with a constant AABW profile equivalent to 2 Sv (black) and**

693 **with a variable AABW (red, dashed). (bottom) Difference in AMOC strength between the two methods. This**

694 **scales linearly with the internal geostrophic AABW flow (right hand axis)**

695 Figure 2.12 shows the AMOC transport calculated with mooring derived AABW
696 estimates and using a time-invariant profile of AABW transport. Incorporation of the
697 deep moorings results in a small mean increase of 0.1 Sv in the estimation of the AMOC.
698 The difference between the two calculations scales linearly with the internal geostrophic
699 transport between the deep section of the dynamic height anomaly profiles. This deep
700 transport ranges from 1 Sv to 3 Sv in 2009 and 2010. The ratio between the change in the
701 calculated AMOC and internal deep transport is 1:5 so that a 1 Sv increase in geostrophic
702 flow deeper than 4820 dbar reduces the AMOC by 0.2 Sv. Therefore the impact of time
703 varying AABW transports on the variability in the calculated AMOC transport is ± 0.2
704 Sv.

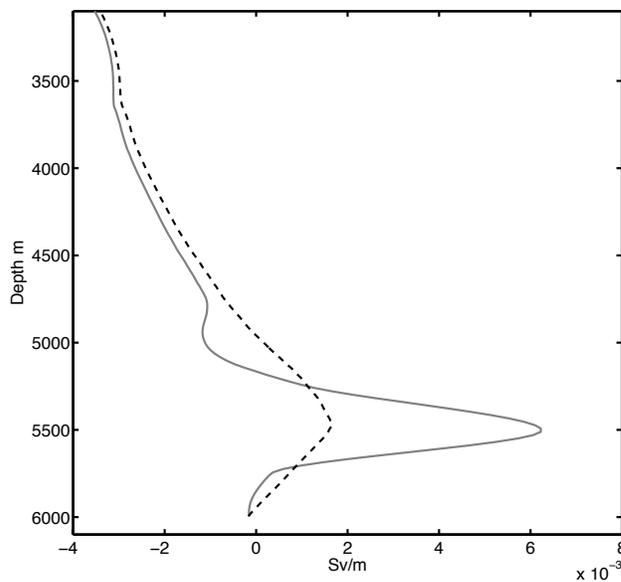


705
706 **Figure 2.13: The transports deeper than 4820 dbar during the period of time-varying AABW with the mean**
707 **highlighted by the black, dashed line.**

708 The mean transport at pressures greater than 4820 dbar is shown in Figure 2.13.
709 The transport has a mean of approximately 1 Sv. This is half the transport of AABW
710 reported by Frajka-Williams et al. (2011). Much of this discrepancy is due to the fact that
711 here we estimate transport deeper than 4820 dbar, which includes some southward flow

712 west of 72°W. Traditional definitions of AABW isolate the northward flowing water
713 mass and hence result in more northward flow of AABW.

714 The mean vertical structure of the deep flow from the moored observations is
715 compared with the time-invariant profile used in previous RAPID calculations in Figure
716 2.14. The time-invariant profile was based on a number of hydrographic sections in
717 Kanzow et al. (2010). It is likely that the sparse temporal sampling of the hydrographic
718 sections and variations in the depth of the hydrographic profiles lead to a less smooth
719 profile than that derived from the moorings. A new time-invariant profile based on the
720 moored measurements below 4820 dbar is now used for the calculation of the full RAPID
721 timeseries. This has a mean value of 1 Sv and a vertical structure as indicated in Figure
722 2.14. Use of this profile reduces the estimated AMOC by 0.2 Sv relative to previous
723 calculations.



724

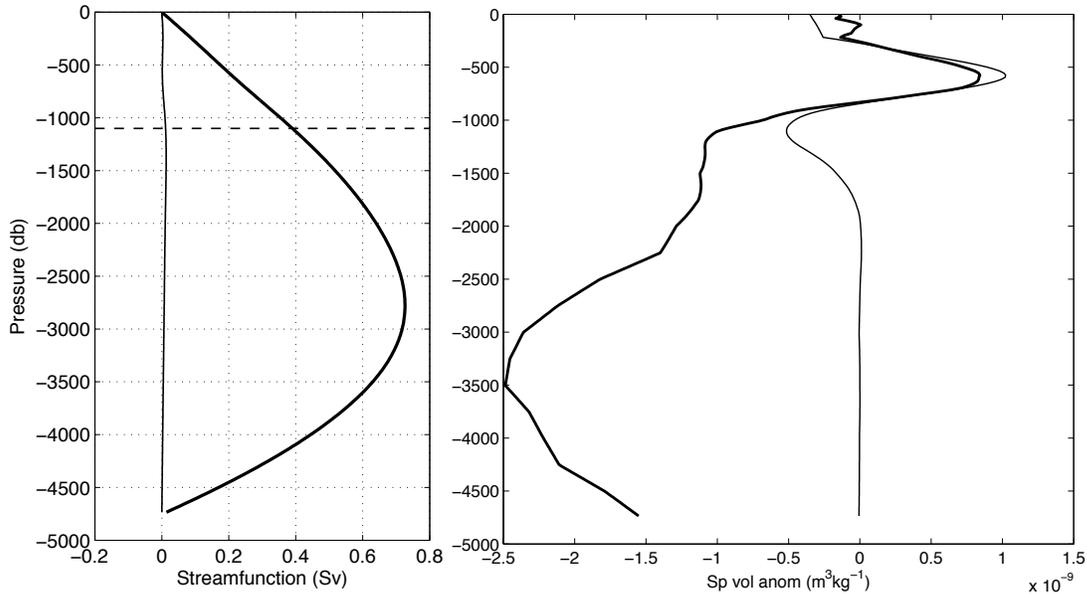
725 **Figure 2.14: New (black, dashed) profile of northward flow of below 4820 dbar and old (grey, solid) profile**
726 **derived from hydrographic sections.**

727 2.7 Equation of state: TEOS-10

728 The Thermodynamic Equation of State for seawater was introduced in 2010, here
729 referred to as TEOS-10, replacing the previous equation of state, EOS-80. The new
730 equation of state has a non-negligible impact on densities and hence on the calculation of
731 geostrophic transport of the AMOC. Here, we calculate the AMOC using the new
732 equation of state and contrast with the previous calculation.

733 TEOS-10 provides a thermodynamically consistent definition of the equation of
734 state in terms of the Gibbs function for seawater. It introduces conservative temperature,
735 defined to be proportional to enthalpy, as a more accurate measure of the heat content of
736 seawater. Perhaps the most notable change is the use of absolute salinity. Absolute
737 salinity, or density salinity, is the salinity that most accurately reflects the density of a
738 seawater sample in the TEOS-10 equation of state. Calculation of absolute salinity from
739 practical salinity is a two stage process. First, reference salinity is calculated as the best
740 estimate of the absolute salinity of standard seawater (Millero et al. (2008))—this is
741 practical salinity multiplied by a constant factor of 35.165/35. Secondly, a geographically
742 varying factor is added to reflect the impact on seawater density of the variation of the
743 composition of seawater in different ocean basins, notably the impact of silicate (IOC,
744 SCOR & IAPSO (2010)). It is this geographically varying factor that results in the largest
745 change in the geostrophic transports calculated.

746



747

748 **Figure 2.15: Difference in streamfunction due to the change in equation of state: EOS-80 minus TEOS-10. A 0.4**
 749 **Sv decrease due to the use of TEOS-10 at the depth of 1100 dbar is highlighted. (b) Change in specific volume**
 750 **anomaly due to the use of TEOS-10. In both figures, the bold line includes the geographically varying**
 751 **contribution to absolute salinity whereas the thin line does not.**

752 Figure 2.15 (a) shows the difference between geostrophic transport streamfunctions
 753 (Equation 1.5) calculated from EOS-80 and TEOS-10 based on moored hydrographic
 754 profiles on either side of the basin at 26.5°N. Excluding the geographically varying factor
 755 from absolute salinity and using the new equation of state results in little change in the
 756 transport streamfunction. When this geographically varying factor is included, the use of
 757 TEOS-10 results in a weaker streamfunction at all depths. A maximum difference of 0.7
 758 Sv occurs around 2700 dbar. At the depth of the AMOC, 1100 dbar, the difference is 0.4
 759 Sv. This is the reduction in the strength of the AMOC due to the change in the equation
 760 of state.

761 To analyse the changes, we look at the impact on specific volume anomaly due to
 762 the new equation of state. Figure 2.15 (b) shows changes in specific volume anomaly

763 calculated using values derived from the TEOS-10 toolbox relative to values derived
764 from EOS-80 both including and not including the geographically varying factor in
765 absolute salinity. In the top 2000 m, changes are evident due to the new formulation of
766 the equation of state and are present whether or not the geographically varying factor is
767 included. At pressures greater than 1500 dbar, there is little change due to the new
768 formulation of the equation of state and the changes are dominated by the geographically
769 varying factor included in absolute salinity.

770 The geographical variation in absolute salinity can be understood in terms of the
771 distribution of silicate at 26°N. Silicate is the single largest contribution to the
772 geographical variation of absolute salinity. Higher concentrations of silicate on the
773 eastern boundary have an impact on the density and therefore the geostrophic circulation.

774 The use of TEOS-10 rather than EOS-80 has reduced the AMOC estimate by 0.4
775 Sv or approximately 2%, primarily due to the consideration of higher silicate
776 concentrations at the eastern boundary in the calculation of density. This is in line with
777 the magnitude of expected changes described in IOC, SCOR & IAPSO (2010). This
778 level of change is to be expected in all estimates of transport dependent on geostrophy
779 when TEOS-10 is used. In fact, in areas such as the North Pacific, the impact could be
780 even larger due to larger geographical changes in absolute salinity.

781 **3 Additional Components in the AMOC Calculation**

782 3.1 The Gulf Stream in the Florida Straits

783 The Gulf Stream is confined to the shallow (< 800 m), narrow Florida Straits near the
784 latitude of 26°N. The confinement of the primary western boundary upper-ocean current
785 geographically makes 26°N an ideal location for measurement and separation of the
786 components of ocean circulation there. The transport of the Gulf Stream has been
787 measured nearly continuously by a submarine cable at about 27°N since 1982 (Baringer
788 and Larsen (2001), Meinen et al. (2010)), with routine hydrographic sections being
789 collected for cable calibration multiple times per year, making it one of the longest
790 running and most valuable timeseries in oceanography. The existence of this timeseries
791 made 26°N the natural location for a basin-wide array monitoring the full AMOC.

792 The Gulf Stream has a mean strength of 32 Sv, with a daily standard deviation of
793 about 3 Sv and a small seasonal cycle with a peak-to-peak amplitude less than 3 Sv. It is
794 estimated that the daily transport measurements are accurate to within 1.1 Sv and annual
795 averages are accurate to within 0.3 Sv over the time period of the RAPID measurements
796 (Meinen et al. (2010), Garcia and Meinen (2014)). The Gulf Stream in the Florida Straits
797 has had a remarkably constant strength with no statistically significant long term trends
798 discernable relative to the energetic shorter term variability.

799 A short gap of 56 days from 3/9/2004 to 29/10/2004 exists during the RAPID time
800 period after a hurricane destroyed the cable recording station. Subsampling intervals of
801 this length from the complete periods of the time series randomly indicates that there is a

802 2 Sv rms error due to linear interpolation. No significant changes to the configuration of
803 the cable monitoring have otherwise occurred during the RAPID time period.

804 3.2 The Western Boundary Wedge

805 The Western Boundary Wedge (WBW) is the name given to the continental shelf east of
806 Abaco Island, Bahamas as far as the WB2 mooring at 76.75°W. This is an array of direct
807 current meters designed to measure the core of the northwards flowing Antilles Current
808 over the quickly changing depths of the continental slope and shelf. The array is used in
809 the AMOC calculation out to WB3 when the WB2 mooring is unavailable. The
810 methodologies involved in the estimation of the transports in the western boundary
811 wedge are extensively described in Johns et al. (2008) and will not be repeated here.

812 The array measures components of the Antilles Current and the Deep Western
813 Boundary Current in combination from Abaco Island to WB2 (WB3) with a mean
814 strength of 1 (-4) Sv with a standard deviation of 3 (10) Sv. We note that while the mean
815 transports are small, the variability is large. Inshore of WB2, the northward flowing
816 Antilles Current is the major flow whereas when extending the array out to WB3, the
817 Deep Western Boundary Current plays a dominant role. The transports are directly
818 measured and accurate to within 0.5 (1.5) Sv. The WBW also plays a role in reducing the
819 variability in the calculated AMOC due to eddy noise by making measurements close to
820 the boundary (Kanzow et al. (2009)).

821 3.3 Ekman transport at 26°N

822 Ekman transport is the local wind driven transport in the upper ocean (Ekman (1905)),
823 given by

$$T_{ek} = - \int \frac{\tau_x}{f \rho},$$

824 where τ_x is the zonal component of the wind stress, f is the Coriolis parameter and ρ is
825 the density of seawater. The wind stress is calculated as

$$\tau_x = \rho_a C_d |\mathbf{u}| u_x,$$

826 where ρ_a is the density of air, u is the wind speed at a height of 10 m and C_D is the drag
827 coefficient. C_d is defined as 1×10^{-3} for wind speeds lower than 7.5 m/s and $(0.61 +$
828 $0.063 |\mathbf{u}|) \times 10^{-3}$ for higher wind speeds (Smith (1980)). This transport is evenly
829 distributed over the top 100 m in the RAPID calculation.

830 A number of wind speed data sources have been used to estimate the Ekman
831 transport. These are QuikScat
832 (http://podaac.jpl.nasa.gov/DATA_CATALOG/quikscatinfo.html), CCMP Level 3.0
833 (Atlas et al. (2011)) and ERA-Interim (Dee et al. (2011)) winds. QuikScat was the wind
834 product of choice for RAPID publications from Cunningham et al. (2007) to Rayner et
835 al. (2011). Since the demise of the QuikScat scatterometer in November 2009, CCMP has
836 been judged as the best wind product (Kent et al. (2012)). Due to operational reasons,
837 there is often a delay on the availability of this product. For this study, ERA-Interim
838 winds are used. Table 3.1 summarises the differences between the three products. At
839 26°N, all three products agree well. This is probably due in part to the same data being
840 included in the multiple reanalyses. Only ERA-Interim, on a sparser grid than CCMP and
841 QuikScat, has noticeably less variability.

842 **Table 3.1: Mean, standard deviations of Ekman transports of the QuikScat, CCMP and ERA-Interim wind**
 843 **products for the period April 2004 to November 2009 in units of Sv.**

	QuikScat	CCMP	ERA-Interim
Mean	3.6	3.6	3.8
Std. Dev.	3.4	3.3	2.9

844

845 3.4 The External transport: solving for the reference level velocity

846 The external transport is the transport added to the internal geostrophic transports so that
 847 there is no net meridional flow. Although in reality there is a small net southward
 848 transport through the section due to the Bering Strait inflow to the Arctic less the net
 849 evaporation-precipitation-runoff, the purpose of requiring zero net mass transport is to
 850 isolate the AMOC as a compensated meridional circulation cell that is superimposed on
 851 the (weak) net transport through the basin (Bryden and Imawaki (2001)). Since the
 852 baroclinic circulation is fully accounted for by the trans-basin array, the residual mass
 853 transport has to be carried by depth-independent velocity. It is assumed that the flow is a
 854 uniform velocity across the basin so the transport is

$$T_{ext}(z) = v_{comp,ref} \cdot w(z),$$

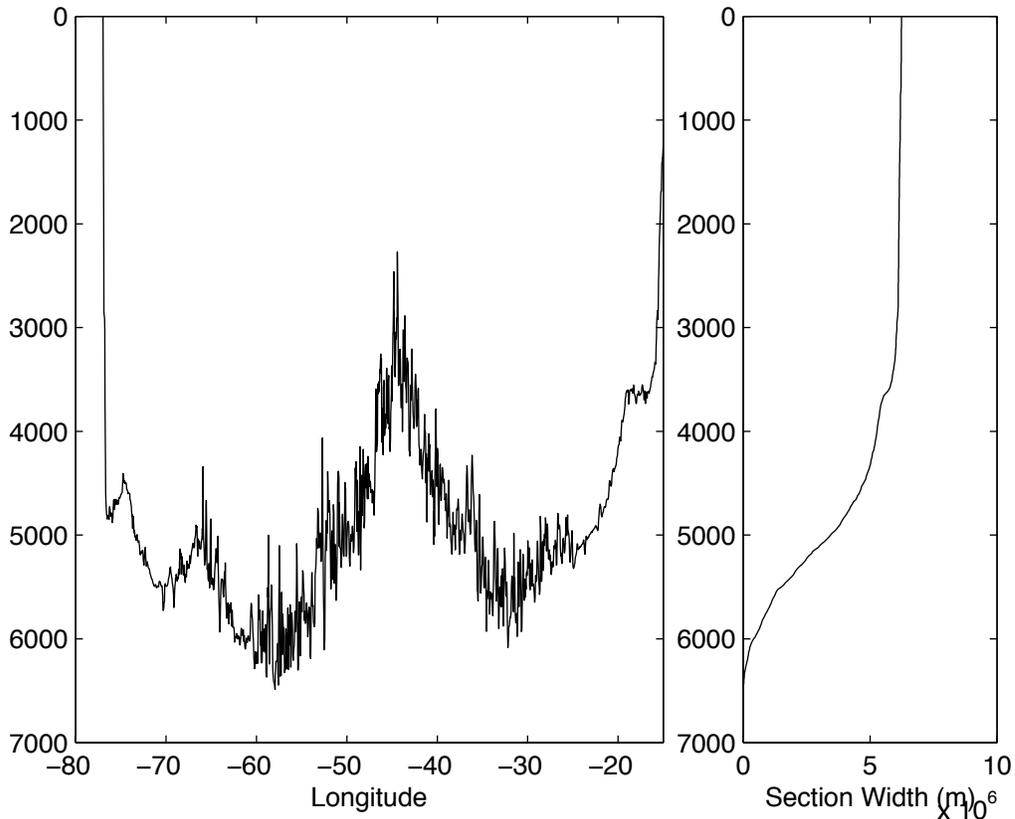
855

Equation 3.1

856 where $w(z)$ is the width of the basin and $v_{comp,ref}$ is calculated as the sum of all the
 857 transport components (Gulf Stream, Ekman transport, western boundary wedge and the
 858 internal geostrophic transport) divided by the area of the section at 26°N (not including
 859 the Florida Straits). Internal geostrophic transports are calculated relative to a level of no
 860 motion at 4820 dbar, the deepest common level across the array. The average geostrophic

861 transports shallower than and calculated relative to 4820 dbar across the basin sum to 21
862 Sv southwards. While the calculation of external transport is done in a time-varying
863 sense, on average, the 25 Sv of internal geostrophic southward transport is combined with
864 32 Sv Gulf Stream, 3 Sv Ekman transport, 1 Sv from the western boundary wedge and 1
865 Sv from AABW (all northwards), to require 12 Sv (equivalent to a reference level
866 velocity of 0.04 cm/s) of southward external transport to satisfy the constraint of zero net
867 flow.

868 In a rectangular basin with vertical side walls, $w(z)$ is a constant and the choice of
869 reference level has no effect on the overturning. In a real ocean basin, the external
870 transport does affect the overturning streamfunction due to the narrowing of the basin
871 with depth. Figure 3.1 shows the bathymetry at 26°N. Above 3800 m, the basin width is
872 relatively constant; below this depth, the basin narrows substantially due to the presence
873 of the MAR and the sloping eastern boundary. Assuming a depth- and zonally-uniform
874 compensation velocity leads to a external transport profile, $T(z)$, that is proportional to
875 $w(z)$ as shown in Figure 3.1(b), which we refer to as a "hypsometric" compensation
876 profile.



877

878 **Figure 3.1: (left) Bathymetry at 26°N and (right) derived basin width.**

879 To investigate further the distribution of the hypsometric compensation, we

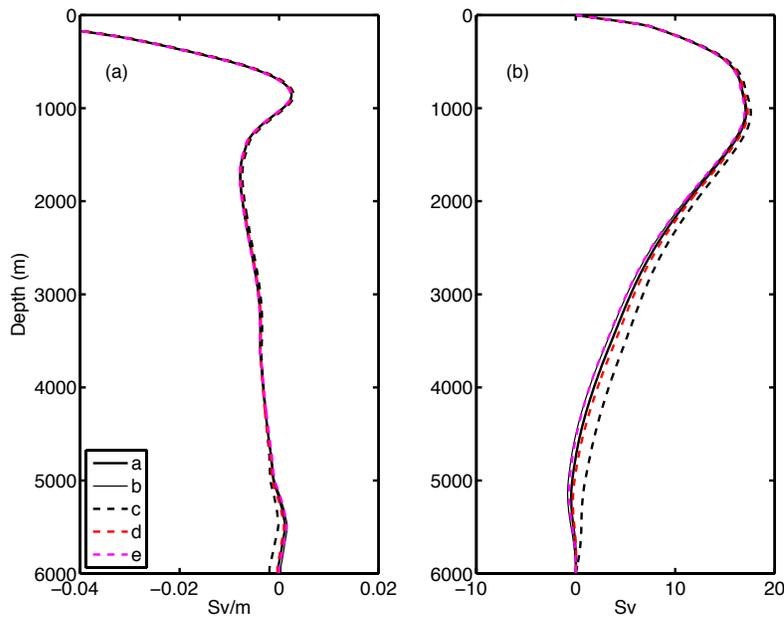
880 consider five cases.

881 a) Reference level at 4820 dbar, approximately the interface between northward flowing
 882 AABW and southward flowing lower North Atlantic deep water (NADW).

883 b) Reference level at 1200 dbar, approximately the interface between northward flowing
 884 AAIW and southward flowing upper NADW.

885 c) Treating the basin as rectangular—consequently it is insensitive to the choice of
 886 reference level. This involves replacing $w(z)$ with w_m , the mean width of the basin,
 887 in Equation 3.1.

888 d) (e) uses a reference level of 4820 dbar and a basin width profile that puts all the
 889 hypsometric compensation to the west (d) and east (e) of 45.5°W.
 890 Changing the reference level (a,b) varies the total amount of external transport
 891 required and so will lead to changes in the shear below 3500m. While historically,
 892 hydrographic section-based estimates of transport use two levels of no motion, a
 893 shallower level in the west (near 1200 m, below the AAIW) and deeper level east of this,
 894 we are investigating the simpler case of the sensitivity of the AMOC to changing a single
 895 reference level. Changing the reference level form 4820 to 1200m changes the total
 896 mean external transport required to balance mass from 14 Sv to 22 Sv. Cases (c, d, e)
 897 change the profile of the hypsometric compensation but leave the total external transport
 898 unchanged.



899
 900 **Figure 3.2: (a) Mid-ocean transport profiles derived from the five cases described in the text. (b) Transport**
 901 **streamfunction including mid-ocean, Florida Straits and Ekman transports.**

902 Figure 3.2 (a) shows the resulting geostrophic transport for each of the cases. The
 903 results are all quite similar. There is little difference between any of the solutions

904 shallower than 3500 m apart from a small constant offset. An offset of 0.0005 Sv/m
905 distributed over the top 4000 m results in a transport difference of 2 Sv. The different
906 solutions vary less than this for all of the hypsometrically compensated cases (a, b, d, e).
907 The only noticeable difference is in the deep ocean for the rectangular basin (c). This
908 solution deviates from the other solutions in that it removes the shear below 4000 m,
909 where the ocean basin substantially narrows.

910 Figure 3.2 (b) shows the streamfunctions at 26°N resulting from the various
911 solutions (a-e). A larger difference is apparent in the streamfunction profiles since the
912 transport differences are accumulated vertically. Nevertheless, all of the hypsometrically
913 compensated cases (a, b, d, e) show similar solutions, none differing by more than 1 Sv at
914 any depth. Again the rectangular basin solution (c) is the most different as the large
915 differences in transport at depth are accumulated vertically.

916 The experiments here choose reference levels that are based on interfaces between
917 mean northwards and mean southward flowing water masses and also investigated
918 changing the shape of the compensation profile. The resulting AMOC solutions show a
919 weak dependence on reference level. Using a rectangular basin shape resulted in the
920 largest change to the solution. In this case, the solution artificially removes shear from the
921 deep ocean. We conclude that a hypsometric compensation is more appropriate. Finally,
922 distributing the compensation in the eastern or western basin does not significantly
923 influence the resulting solution. There is a small effect whereby placing all the
924 compensation in the west results in slightly weaker southward flow above the crest of the
925 mid-Atlantic ridge (3700 m) and slightly stronger southward flow below this depth. The
926 converse is true for placing all the compensation in the east. It is important to note that all

927 of the hypsometric compensations investigated here (cases a, b, d, e) vary by less than the
928 accuracies of the transports discussed elsewhere in this text. This is consistent with
929 Roberts et al. (2013) whose investigations of various reference levels resulted in AMOC
930 variations of less than 2 Sv.

931 Kanzow et al. (2007) observed a high correlation between transport variability
932 derived from basinwide pressure differences in bottom pressure recorders and transport
933 variability derived by the application of a mass compensation constraint. This result was
934 extended, in a more limited sense, by McCarthy et al. (2012) who observed high
935 correlation between transport variability derived from bottom pressure records on the
936 western boundary and a hypsometrically weighted mass compensation constraint.

937 These independent bottom pressure observations support the calculation of
938 AMOC variability using a hypsometrically weighted mass compensation. However, we
939 note that the depth structure of this compensation is yet to be fully determined. A
940 difference between some models and observations, highlighted by Roberts et al. (2013),
941 lies in the deep overturning streamfunction. Many models (e.g. FOAM (Roberts et al.
942 (2013)) and HYCOM (Xu et al. (2012))) show a more vigorous and shallower deep
943 overturning cell than RAPID (e.g. Roberts et al. (2013), Figure 1; Xu et al. (2012), Figure
944 6). Roberts et al. (2013) showed that agreement between FOAM and the observations
945 could be recovered by calculating the AMOC in the model using the RAPID
946 methodology. This provides a method of comparing like-with-like in terms of the depth
947 structure of the overturning streamfunction. In an analysis of bottom pressure
948 measurements, Kanzow (personal communication) has found that the deep compensation
949 may be more vigorous than that derived from the hypsometric compensation described

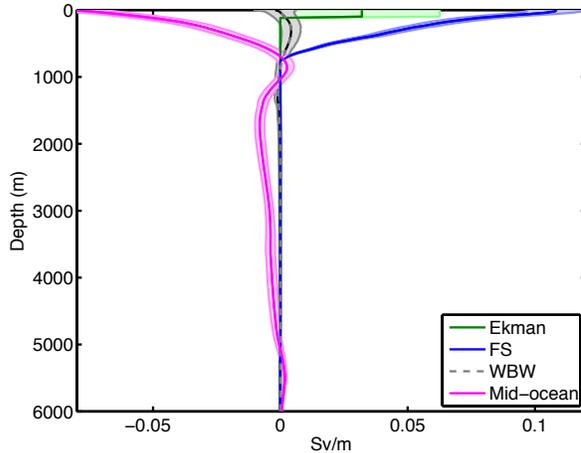
950 here. While the impact of this deep compensation is a topic of ongoing research, it is
951 unlikely to change the final value of the AMOC by more than 1 Sv.

952 **4 The AMOC**

953 The value of the AMOC is defined as the maximum of the transport streamfunction when
954 all the components are combined. The full time-varying transport streamfunction is given
955 by:

$$\Psi(t, z) = \int^z \{T_{flo}(t, z) + T_{ek}(t, z) + T_{wbw}(t, z) + T_{int}(t, z) + T_{ext}(t, z)\} dz,$$

956 where Ψ is the transport streamfunction. Subscripts *flo*, *ek*, and *wbw* refer to the transport
957 in the Florida Straits, Ekman transport and western boundary wedge. T_{int} is the internal
958 geostrophic transports derived from Equation 1.4, applied as described in Section 2.1.
959 T_{ext} is the hypsometric mass compensation as described in the previous section. The mid-
960 ocean transport is defined as the sum of T_{int} , T_{ext} and T_{wbw} . T_{int} includes the new time-
961 invariant AABW profile discussed in Section 2.6. The mean component transports per
962 unit depth are shown in Figure 4.1.



963

964 **Figure 4.1: Mean (solid lines) and standard deviations (shading) component transport per unit depth of the**
 965 **circulation derived from the RAPID calculation: (green) Ekman transports, (blue) Florida Straits transport,**
 966 **(grey, dashed) western boundary wedge and (magenta) full geostrophic mid-ocean transports.**

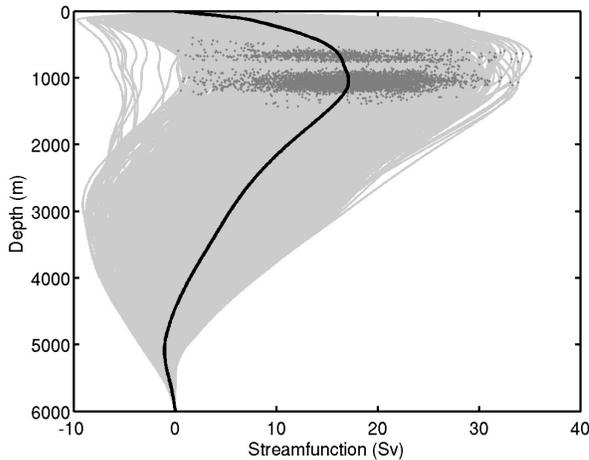
967 The AMOC is defined as the maximum of this streamfunction integrating down from the
 968 surface:

$$AMOC(t) = \Psi(t, z_{max}),$$

969 where z_{max} is the depth of the maximum of the transport streamfunction. Figure 4.2
 970 shows the transport streamfunction at each time step with the strength and depth of the
 971 AMOC overlaid.

972 The AMOC has two depth modes as seen in Figure 4.2. When northward flowing
 973 Antarctic Intermediate Water (AAIW) is present, the depth of the maximum AMOC is
 974 close to 1100 m. When no AAIW flows north, the depth of the maximum AMOC is close
 975 to 700 m: the depth of the Florida Straits. We use this depth criteria to define the AMOC
 976 when no water flows northward, such as occurred in December 2009 (McCarthy et al.
 977 (2012)). In this instance, we define the AMOC as the integral of the component transports
 978 to either 1100 m, when northward flowing AAIW exist, or to 700 m, when no northward
 979 flowing AAIW exists.

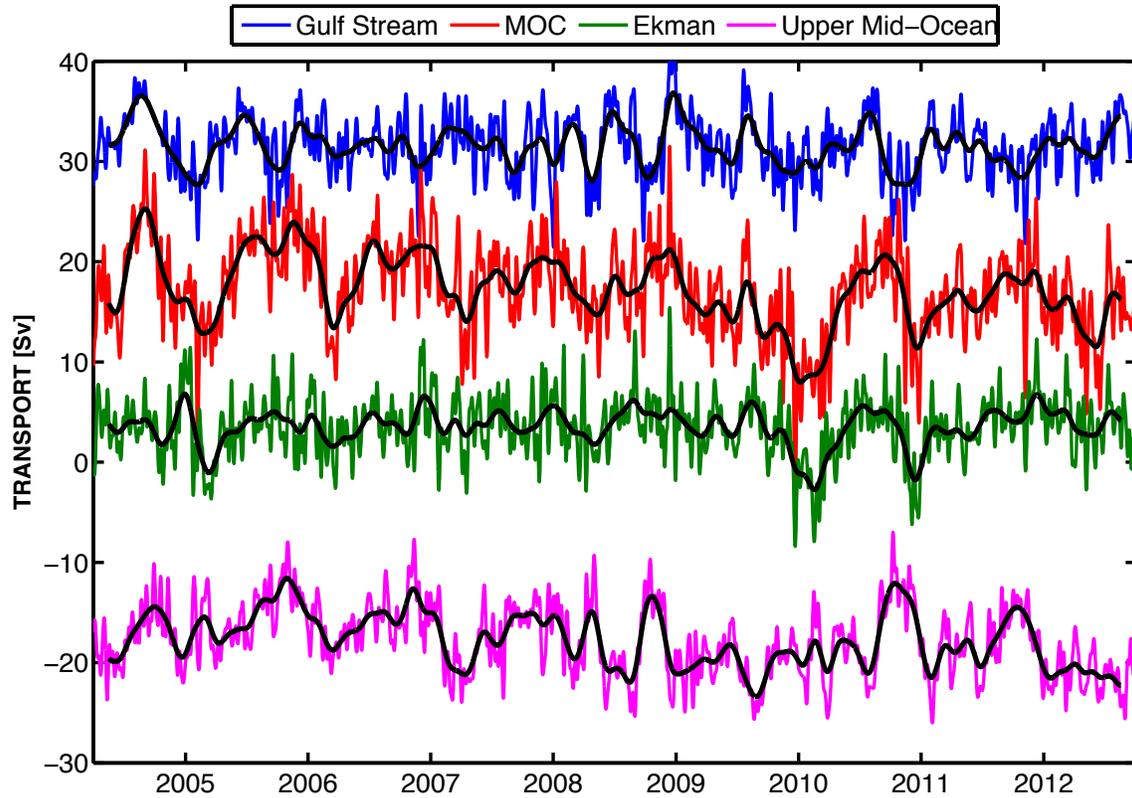
980 The upper mid-ocean transport is defined as the mid-ocean transports integrated
981 from the surface down to the depth of the maximum AMOC. When the depth of the
982 AMOC is greater than the depth of the Florida Straits, the sum of the total Florida Straits,
983 Ekman and upper mid-ocean transports is equal to the strength of the AMOC.



984

985 **Figure 4.2: AMOC streamfunctions: all (grey), mean (black) and AMOC values (grey dots).**

986 The 8.5 year timeseries from April 2004 to October 2012, shown in Figure 4.3,
987 has a mean strength of 17.2 Sv with a 10 day filtered rms variability of 4.6 Sv. This mean
988 AMOC transport is lower than earlier estimates mainly due to the decreasing strength of
989 the AMOC over the length of the record (Smeed et al. (2014)). A smaller contribution to
990 the lower mean AMOC transport value is due to the improvements to the AMOC
991 calculation methodology described in this paper that have resulted in a reduced mean
992 strength of the overall AMOC of 0.6 Sv.



993

994 **Figure 4.3:** The latest RAPID timeseries including the AMOC (red), Gulf Stream in the Florida Straits (blue),
 995 Ekman (green) and upper mid-ocean (magenta) transports. Coloured lines are ten-day values. Black lines are
 996 three month low-pass filtered values.

997 **5 The Meridional Heat Transport**

998 The meridional heat transport (MHT) carried across a trans-basin section at any latitude
 999 is given by (Jung (1952), Bryan (1982)):

$$Q = \int_{x_w}^{x_e} \int_H^0 \rho c_p v \theta dx dz$$

1000 where ρ is seawater density, c_p is the specific heat of seawater, v is meridional velocity, θ
 1001 is potential temperature, and where the double integral is taken over the full depth (H) of
 1002 the trans-basin section between eastern (x_e) and western (x_w) boundaries. Johns et al.

1003 (2011) produced estimates of the MHT across 26.5°N by breaking this total heat transport
1004 down into a number of separate components of temperature transport (relative to a
1005 common temperature reference), which are then summed together to derive the total
1006 MHT. The breakdown used here is:

$$Q_{NET} = Q_{FC} + Q_{EK} + Q_{WBW} + Q_{MO} + Q_{EDDY}$$

1007 Equation 5.1

1008 where the different terms represent, respectively, the meridional temperature transports of
1009 the Florida Current (Q_{FC}), the Ekman layer (Q_{EK}), the western boundary wedge (Q_{WBW}),
1010 the zonally-averaged contribution by the mid-ocean circulation (Q_{MO}), and the mid-ocean
1011 “eddy” contribution due to spatially correlated v and θ fluctuations (Q_{EDDY}). The latter
1012 term is a true heat transport since it has no mass transport associated with it and is
1013 independent of temperature reference.

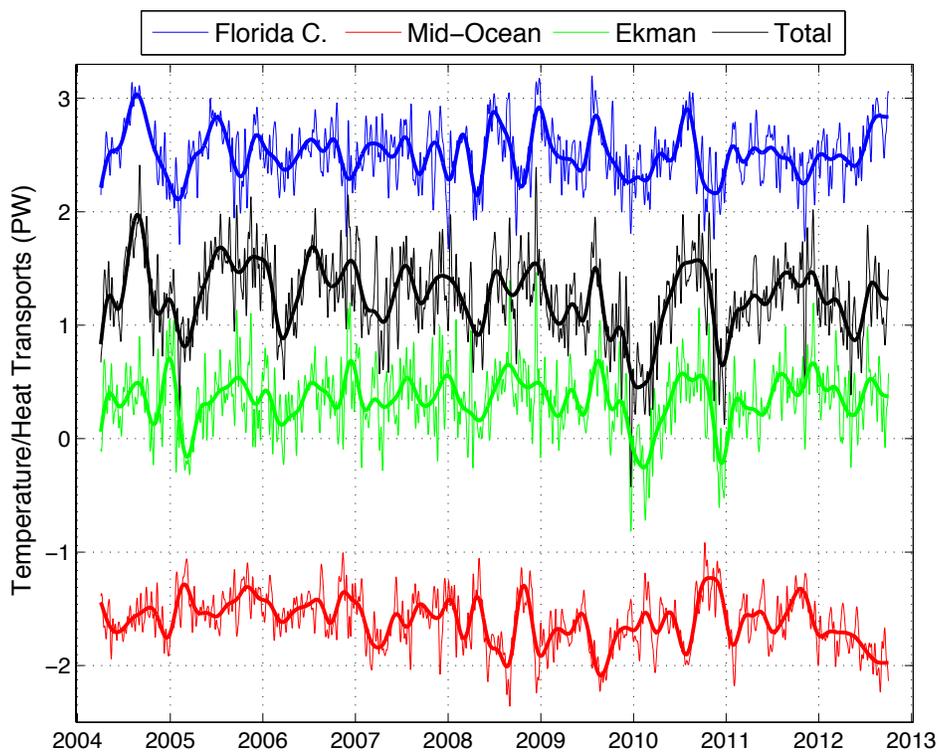
1014 The methodology by which each of these terms is estimated is described
1015 thoroughly in Johns et al. (2011) and we will only briefly review these here. In addition
1016 to the updated methods for computing the AMOC mid-ocean transport that have been
1017 described in Section 2 and the Ekman transports discussed in Section 3.3, changes to the
1018 calculations of Johns et al. (2011) include the following:

1019 1. The Ekman heat transport is now calculated using ERA-Interim winds and the
1020 interior ocean temperature profiles derived from Argo (see 2 below), where the Ekman
1021 transport is essentially assumed to be confined to the upper 50 m of the water column.
1022 Thus the Ekman layer temperature is a weighted average of the upper 50 m temperatures.
1023 Previously we had used Reynolds SST's in the interior and assumed the Ekman layer
1024 temperature to be equal to the Reynolds SST. We estimate that averaging over the top 50

1025 m gives an estimate of 0.005 PW lower than the SST based estimate, with all of the
1026 difference occurring in the summer—the only time the mixed layer depth is less than 50
1027 m. Distribution of the Ekman heat transport over the top 50 m is consistent with Hall and
1028 Bryden (1982), who used a weighted temperature average over the top 50 m, and with the
1029 findings of Wijffels et al. (1994), who found that all of Ekman transport occurred within
1030 0.2°C of the SST value.

1031 2. The mid-ocean "eddy" heat flux Q_{EDDY} is derived from an objective analysis of
1032 available Argo data profiles in the interior combined with T/S profiles from the RAPID
1033 moorings. This objective analysis (OA) product is produced internally by the RAPID
1034 program, based on Argo and moorings data, at weekly temporal resolution. Argo data has
1035 good coverage at this latitude (approximately 40 profiles per month from 2004-2006 and
1036 more than 100 profiles per month from 2008), allowing accurate determination of the
1037 internal temperature and salinity fields. Meridional velocity anomalies across the section
1038 are derived from this OA using a geostrophic approximation relative to 1000 m.
1039 Previously, Q_{EDDY} had been calculated from a "piecewise" mooring approach (also
1040 relative to 1000 m) using only the mooring data across the section, as described in Johns
1041 et al. (2011) and, as such, the principal improvement here is the increase in resolution
1042 across the section provided by the Argo floats. The two approaches agree within error
1043 bars and are consistent with the range of estimates available from trans-basin
1044 hydrographic sections along 26°N. As noted in Johns et al. (2011), this "eddy" heat flux
1045 is actually associated mainly with the large-scale structure of v and T anomalies across
1046 the subtropical gyre, rather than mesoscale features. The Argo data are therefore able to
1047 resolve it adequately even at relatively coarse resolution across the section.

1048 3. The interior zonal average temperature transport Q_{MO} now uses a time varying
 1049 interior temperature field derived from the Argo and RAPID mooring data as above,
 1050 merged into a seasonal temperature climatology below 2000 m based on the RAPID
 1051 HydroBase product described in Johns et al. (2011). Previously the interior zonal mean
 1052 temperature field was taken only from the seasonally varying RAPID HydroBase
 1053 climatology.



1054
 1055 **Figure 5.1: Time series of the MHT (black), and the contributions by the temperature transport of the Florida**
 1056 **Current (blue), the Ekman layer (green), and the mid-ocean region from the Bahamas to Africa (red). High-**
 1057 **frequency data are 10-day averages and smooth curves represent 90-day low pass filtered data.**

1058 The updated time series of the MHT is shown in Figure 5.1, where the three contributions
 1059 in the mid-ocean region (Q_{MO} , Q_{WBW} , and Q_{EDDY}) are combined into one term. There is
 1060 overall a very close correspondence between the MHT time series and the AMOC time

1061 series, where the MHT reaches low values in the winters of 2009/10 and 2010/11 during
1062 the corresponding low AMOC events.

1063 Accuracies of the individual components and the total MHT are given in Table 5.1,
1064 along with their mean values, standard deviations, and standard errors over the 8.5 year
1065 record obtained to date (April 2004—October 2012) . The overall accuracy of the daily
1066 mean MHT estimate is 0.21 PW, which is about a factor of two smaller than its standard
1067 deviation of 0.36 PW. The error variance associated with this random measurement
1068 uncertainty ($0.21^2 = 0.04 \text{ PW}^2$) is thus about one-third of the actual sample variance of
1069 the MHT time series ($0.36^2 = 0.13 \text{ PW}^2$). The integral time scale of the MHT timeseries
1070 is 29 days, and so this gives 53 degrees of freedom, assuming one independent
1071 measurement for each two integral timescales. The overall statistical uncertainty in the
1072 mean MHT estimate is therefore dominated by the intrinsic MHT variability. The
1073 standard error of the mean MHT over the 8.5 year record is 0.05 PW, which is reduced
1074 significantly due to the long length of the record. A bias error of up to 0.06 PW is added
1075 to this statistical error to account for possible sampling and computational biases in the
1076 observing system, as outlined in (Johns et al. (2011)), leading to a total error for the
1077 mean MHT of 0.11 PW, or about 10% of the measured mean value of 1.25 PW.

1078 **Table 5.1:** Summary of statistics for the total MHT and its components as measured by the
 1079 RAPID array. Temperature transports (multiplied by ρc_p) are computed relative to 0°C (Q_{EDDY}
 1080 and Q_{TOT} are independent of temperature reference). The mean values reflect the averages from
 1081 April 2004 to October 2012. In computing the standard errors of the mean quantities, the number
 1082 of degrees of freedom is estimated by dividing the record length by twice the integral time scale
 1083 of the variability of the respective quantity (Johns et al., 2011).

MHT Component	Temperature or Heat transport (PW)			
	Mean value	Std. dev.	Meas. error	Std. error
Q_{FC}	2.51	0.25	0.12	0.03
Q_{EK}	0.35	0.29	0.11	0.03
Q_{WB}	0.12	0.18	0.02	0.02
Q_{MO}	-1.81	0.31	0.13	0.04
Q_{EDDY}	0.08	0.03	0.03	0.01
Q_{TOT}	1.25	0.36	0.21	0.05

1084

1085 As described in Johns et al. (2011), the RAPID data can also be used to
 1086 determine the "overturning" and "gyre" components of the MHT, which are defined by
 1087 (Bryan (1982), Böning and Herrmann (1994)):

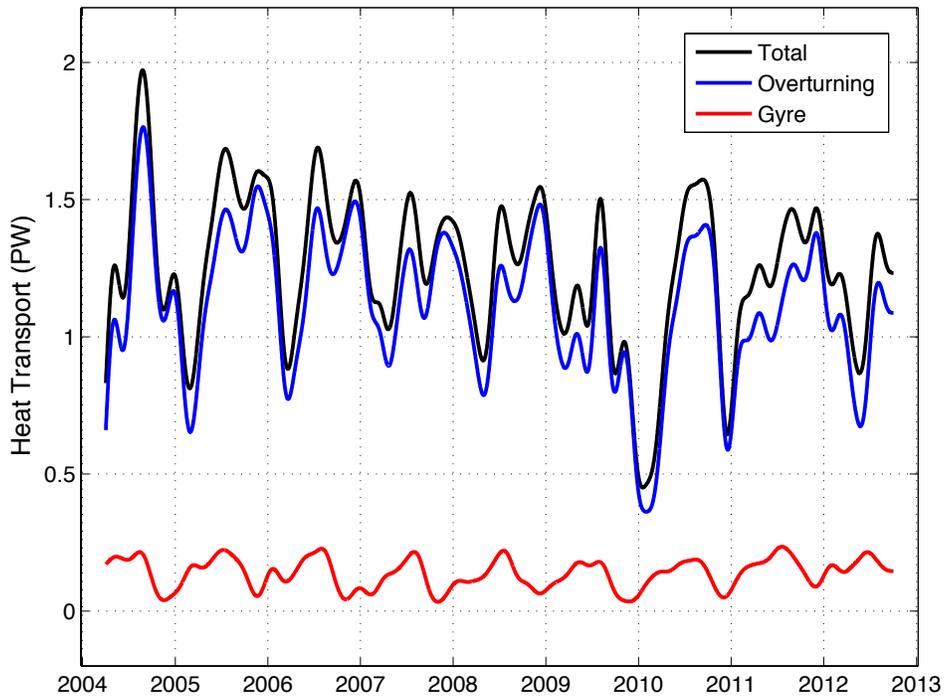
$$Q_{\text{OT}} = \int \rho c_p \langle V \rangle \langle \theta \rangle dz$$

$$Q_{\text{GYRE}} = \iint \rho c_p^* \theta^* dx dz$$

1088 where angle brackets now represent the zonal average across the entire transoceanic
 1089 section (from Florida to Africa), asterisks represent the deviations from these zonal

1090 means, and V is the transport per unit depth profile. These heat transports represent the
1091 heat fluxes carried by individually mass-conserving vertical ("overturning") and
1092 horizontal ("gyre") cells, where the former is also sometimes called the baroclinic heat
1093 transport (Bryden and Imawaki (2001)). The breakdown into the overturning and gyre
1094 MHT components is shown in Figure 5.2, where it is clear that approximately 90% of the
1095 heat transport—and an even higher proportion of the interannual variability observed thus
1096 far—is contained in the overturning component. The gyre component on the other hand
1097 shows a fairly regular seasonal cycle which is mainly dominated by the annual cycle of
1098 the Florida Current.

1099 A natural companion of the MHT estimates is the estimation of continuous
1100 freshwater fluxes across the section using the moored array. The initial analysis of this is
1101 described in McDonagh et al., (submitted) and will not be discussed further here.



1102

1103 **Figure 5.2: Breakdown of the total MHT (black) into its "overturning" (blue) and "gyre" (red) components; see**
 1104 **text for definitions. The curves shown are 90-day low pass filtered values.**

1105 **6 Summary and Conclusions**

1106 **Table 6.1: Summary of the errors associated with the components and calculation of the AMOC.**

(Sv)	RMS Error: 10 day values	RMS Error: Annual Values
AMOC	1.5	0.9
Geostrophic Transports	0.9	0.7
Accuracy of Temperature and Salinity measurements	0.8	0.6

Gridding error	0.4	0.4
Other components		
Western Boundary Wedge	0.5	0.5
Gulf Stream in Florida Straits	1.1	0.3

1107

1108 In this paper we have reviewed and discussed the AMOC measurements at 26°N,
1109 including improvements to the calculation of the AMOC and MHT since Rayner et al.
1110 (2011) and Johns et al. (2011). We have made detailed estimates of the uncertainties
1111 (Table 6.1) and described improvements to the calculation of the AMOC—by use of a
1112 better shear extrapolation technique, improved AABW profile and the use of the new
1113 equation of state TEOS-10—and MHT—by using an Argo and mooring climatology to
1114 improve estimation of Ekman, eddy and mid-ocean temperature transports. As these
1115 observations are frequently used for model comparison and validation, it is important that
1116 the details and errors in the observations are understood.

1117 The AMOC calculation at 26°N takes advantage of the geostrophic balance to use
1118 a relatively sparse array of moorings to measure the northward flow. The latitude of 26°N
1119 is an ideal location for a basinwide AMOC monitoring array for two main reasons:
1120 firstly, the measurement of the Gulf Stream in the Florida Straits (Baringer and Larsen
1121 (2001)) defines the western boundary current and, secondly, the steep continental shelf
1122 off the Bahamas suppresses westward propagating mesoscale features and allows for
1123 estimates of transport representative of the basinwide flow (Kanzow et al. (2009)).

1124 This method relies on accurate profiles of dynamic height anomaly, derived from
1125 temperature, salinity and pressure measurements from moored instruments. The accuracy

1126 of the instruments themselves is improved by a careful process of ship-board calibration
1127 (Kanzow et al. (2006)). This results in temperature, salinity and pressure measurements
1128 accurate to 0.002°C, 0.003 and 1 dbar, respectively. Of these measurements, it is salinity
1129 that is the largest source of error in the calculated AMOC due to potential biases in the
1130 calibration process. Temperature and pressure errors of 0.002°C and 1 dbar have a
1131 smaller impact on the estimated AMOC than a salinity error of 0.003. We estimate an
1132 rms uncertainty of 0.8 Sv due to calibration issues.

1133 There are around 20 instruments on a typical full depth mooring. These need to be
1134 interpolated on to a high resolution vertical grid to construct useful dynamic height
1135 anomaly profiles. We use the method of Johns et al. (2005) based on the gradients of
1136 temperature and salinity to interpolate the sparse instruments onto a high resolution grid.
1137 There is an rms uncertainty of 0.4 Sv in estimating the AMOC due to this procedure.
1138 While this rms uncertainty in the AMOC is small, the estimated maximum gridding
1139 inaccuracies of 0.05°C in temperature in the thermocline are 25 times larger than the
1140 accuracy with which temperature can be determined. In comparison, a maximum
1141 gridding inaccuracy of 0.01 in salinity is only 3 times larger than the accuracy with which
1142 salinity can be determined. For a different application, interspersing some cheaper
1143 temperature-only instruments between the moored CTDs might be considered so that
1144 errors due to gridding are reduced relative to the accuracy of the measurement.

1145 The errors associated with gridding and calibration of the dynamic height
1146 moorings are combined with the errors in the Gulf Stream transport, western boundary
1147 wedge and Ekman transports to give an overall estimate of the error for the estimated
1148 AMOC. The 10-day estimations of the AMOC have an rms uncertainty of 1.5 Sv (Table

1149 6.1). We have also considered uncertainties in annual averages. The errors do not drop
1150 dramatically for annual averages due to the nature of the uncertainties. When the full
1151 array is operational, an annual rms uncertainty of 0.9 Sv is estimated. This can increase
1152 when mooring losses occur. The mooring losses that have occurred only significantly
1153 influence the error estimate in 2005 and 2007, when the WB2 mooring failed and mini-
1154 mooring losses on the eastern boundary respectively increased the estimated annual rms
1155 uncertainty to 1.1 Sv and 1.4 Sv.

1156 The shallowest and deepest measurements present particular challenges. The
1157 practicalities of deploying a mooring in the real ocean mean that measurements shallower
1158 than 100 m are often absent. Haines et al. (2013) compared the RAPID measurements
1159 with a data assimilating model and found that linear extrapolation above the shallowest
1160 measurements in RAPID failed to capture 1.5 Sv of southward transport in the late
1161 summer in the top 150 m. Here, we have implemented a seasonally varying extrapolation
1162 technique that captures additional southward transport due to the shallow seasonal
1163 thermocline. We estimate that the transport not captured by this technique is less than 0.1
1164 Sv.

1165 The deepest measurements pose a challenge due to the large pressures, remote
1166 location and often highly variable topography that the moorings are deployed in.
1167 Moorings have been successfully deployed to measure deep (> 4820 dbar) transport for a
1168 duration of 2 years. The variability of the estimated AMOC changed by ± 0.2 Sv when
1169 these deep moorings were included in the calculation. While the variability observed was
1170 small, the continuous measurements lead to improvements to the mean shape and
1171 strength of the transport profile. Consequently a new moorings-based time-invariant

1172 transport profile has replaced the previous hydrography-based transport profile. The new
1173 profile fixes transport deeper than 4820 dbar to 1 Sv. This transport is not directly
1174 comparable to AABW transport as the 4820 dbar delimiter differs from the standard
1175 1.8°C potential temperature isotherm often used in hydrographic studies (Frajka-
1176 Williams et al. (2011)). Even so, these seemingly low estimates of AABW transport
1177 coincide with changes in the deep overturning cell. Hydrographic estimates of AABW
1178 transport since 1957 at 24°N suggested that transport in these deeper layers used to be
1179 stronger (Johnson et al. (2008)). Purkey and Johnson (2012) used hydrography to
1180 estimate large-scale changes in transport of the deep overturning cell from 1993 to 2006,
1181 giving a reduction of the deep overturning cell by as much as 8.2 Sv over this 13 year
1182 period. While the previous hydrographic section-based estimates of transport are subject
1183 to issues of aliasing when used to quantify transport variability, the present estimates
1184 from the RAPID array supports the observations that AABW transport is lower than it
1185 has been in the past.

1186 The AMOC at 26.5°N is now calculated using TEOS-10, the new equation of state
1187 for seawater. The introduction of the geographical variations in absolute salinity
1188 primarily driven by silicate concentrations were found to have a non-negligible effect on
1189 the calculation of the density gradient across the basin and hence the AMOC. The
1190 AMOC, as estimated using TEOS-10, is 0.4 Sv weaker than using EOS-80. This 2%
1191 change is of the order of predicted changes to basinwide transports when transitioning to
1192 the new equation of state (IOC, SCOR & IAPSO (2010)). Estimates of circulation
1193 strength throughout the world's oceans will need to be revised by similar amounts due to
1194 this new equation of state, with some regions changing more than others.

1195 The use of a hypsometric mass compensation, taking account of the narrowing of
1196 the basin with depth, to reference the internal geostrophic transports introduces a
1197 dependence on the choice of reference level for the resulting overturning estimate
1198 (Roberts et al. (2013)) . Here, we have compared a number of choices of reference level
1199 and shapes of hypsometric transport profiles. We conclude that the impact on the
1200 estimated strength of the AMOC due to choice of reference level is less than 1 Sv, which
1201 is comparable to the accuracy of the calculation. There is some uncertainty in the
1202 magnitude of the deep transport and this is a topic of ongoing research.

1203 The calculation of the AMOC is made by combining the Gulf Stream, western
1204 boundary wedge, Ekman and mass-compensated geostrophic transports together to get an
1205 overall basinwide transport profile. This is integrated vertically to get a transport
1206 streamfunction, the maximum of which is defined as the strength of the AMOC. The
1207 AMOC has a strength of 17.2 Sv from April 2004 to October 2012. This is lower than the
1208 estimate of 18.7 Sv for the first year of measurements in 2004 (Cunningham et al.
1209 (2007)) mainly due to an observed decline in the strength over the period of observation
1210 (Smeed et al. (2014)) and also due to improvements to the calculation detailed in this text
1211 that have reduced the strength of the AMOC by 0.6 Sv (-0.4 Sv due to the new
1212 extrapolation above the shallowest measurement, +0.2 Sv due to the new AABW
1213 transport, -0.4 Sv due to the new equation of state).

1214 The calculation of the MHT is more difficult than the AMOC as it needs, in
1215 principle, the covariances of temperature and velocity across the section. Here, we have
1216 presented an update to the methods of Johns et al. (2011) by incorporation of time-
1217 varying Argo temperature and velocity fields in the calculation of the mid-ocean, Ekman

1218 and eddy heat flux terms. Changes in the calculation of the AMOC also have implications
1219 for heat transport. Specifically, Haines et al. (2013) highlighted a 0.1 PW lower MHT in
1220 a high resolution ocean model compared to RAPID caused by disagreement in the top
1221 100 m transport. Improvements to the surface extrapolation described in Section 2.5 have
1222 reduced the mean MHT by 0.04 PW (maximum reduction of 0.07 PW in October;
1223 minimum of 0.01 PW in January). This change is smaller than that found by Haines et al.
1224 (2013) but in line with the reduction in the AMOC described in this manuscript. Overall,
1225 the reduction in the mean value of the MHT from 1.22 PW to 1.33 PW published by
1226 Johns et al. (2011) was mainly due to very low heat transport in 2009 and 2010
1227 (Cunningham et al. (2013)) and also the decline in AMOC transports over the ten years
1228 (Smeed et al. (2014)), rather than changes in methodology.

1229 The AMOC monitoring project at 26°N has revolutionised our understanding of
1230 the variability and structure of the AMOC on sub-annual (Cunningham et al. (2007)),
1231 seasonal (Kanzow et al. (2010), Chidichimo et al. (2010)) and interannual (McCarthy et
1232 al. (2012)) timescales. It has provided the first continuous estimates of heat transports
1233 across an ocean basin (Johns et al. (2011)). Smeed et al. (2014) have presented the first
1234 multi-year trend analysis of the timeseries. The 26°N measurements were the first full
1235 ocean depth, basinwide, continuous in time estimates of the AMOC and it is hoped that
1236 the detailed description of the calculation and discussion of the associated errors in this
1237 manuscript will contribute to greater understanding of these AMOC and MHT estimates.

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1242 project, and the US National Oceanographic and Atmospheric Administration (NOAA)
1243 Western Boundary Time Series project. AMOC transport estimates including error
1244 estimates are freely available from www.rapid.ac.uk/rapidmoc. Florida Current transports
1245 estimates are available from www.aoml.noaa.gov/phod/floridacurrent. MHT estimates
1246 can be found online at <http://www.rsmas.miami.edu/users/mocha>.

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